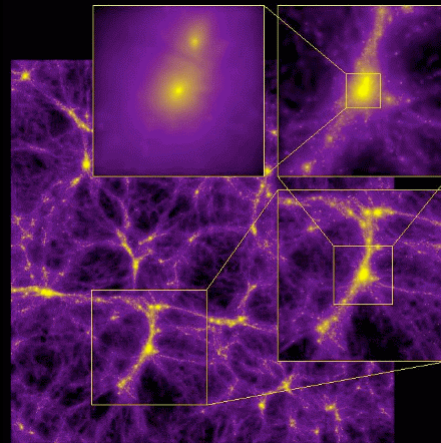
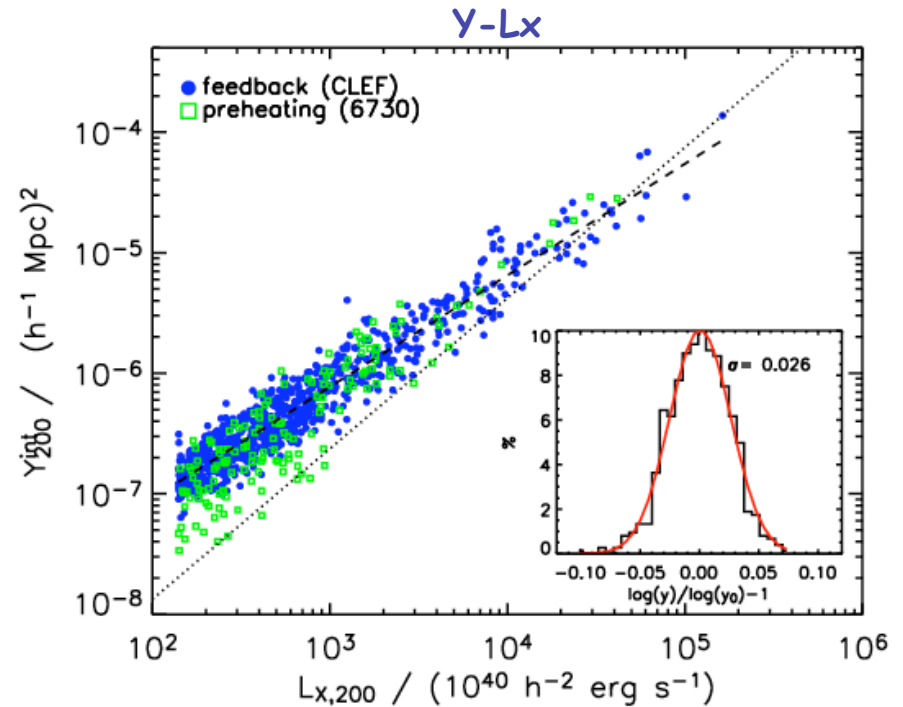
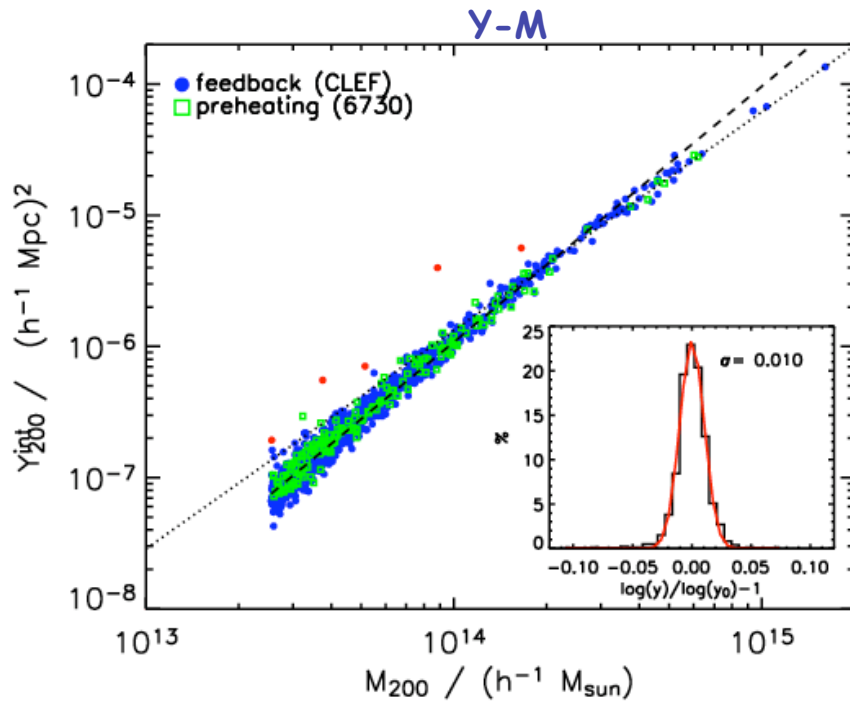


SZ scaling laws and high-resolution maps

Antonio da Silva
(IAS)



Scaling laws @ z=0: SZ



$$Y \propto M^{5/3} \propto T^{5/2} \propto L_X^{5/4}$$

da Silva et al 2004

Non_radiative Y-M slope = 1.69

Radiative Y-M slope = 1.79

Preheating Y-M slope = 1.93

CLEF:

Energy feedback Y-M slope = 1.95

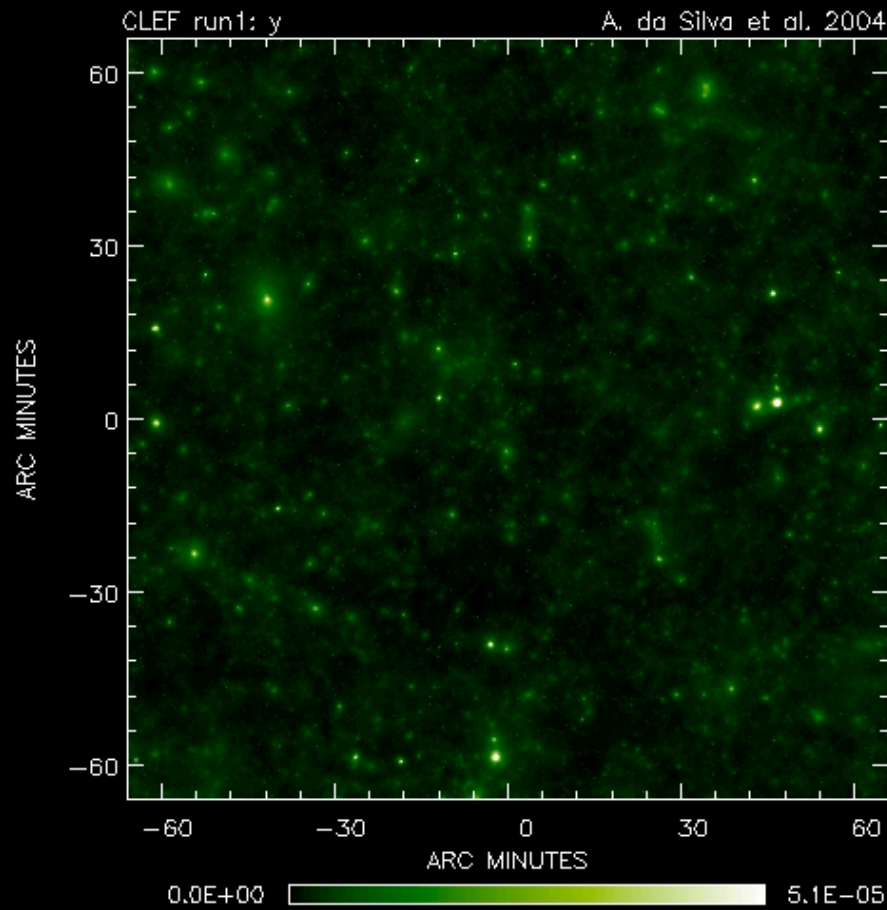
da Silva et al 2004

Preheating Y-Lx slope = 0.98

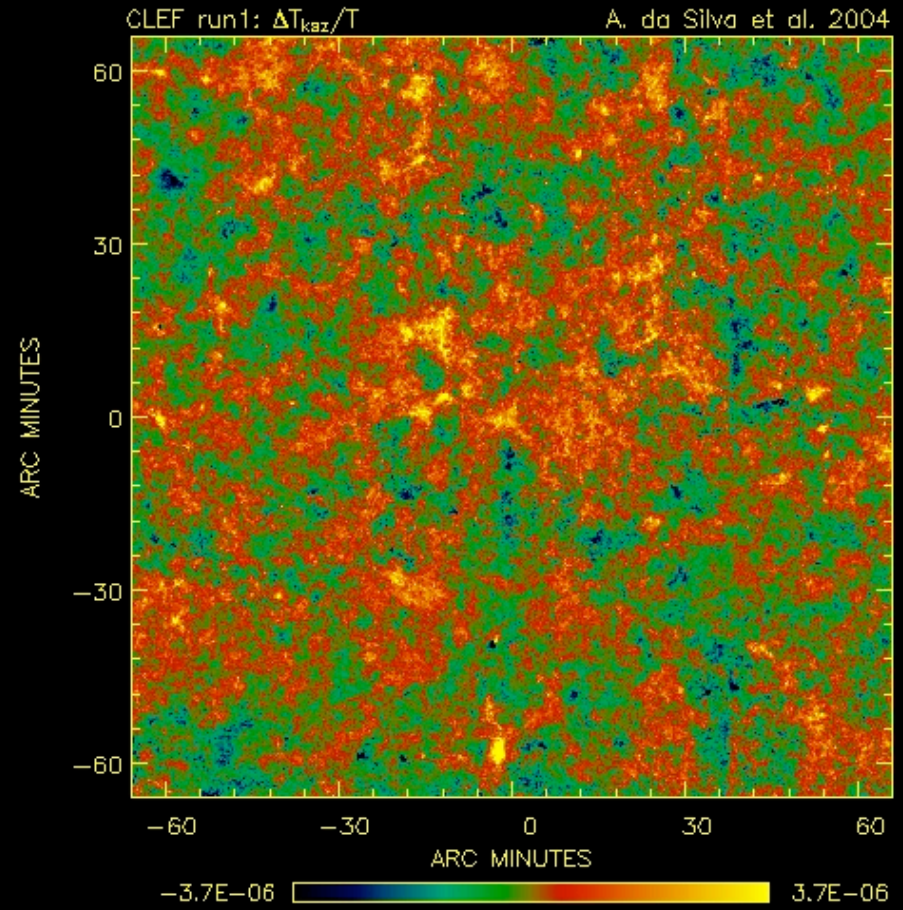
CLEF:

Energy feedback Y-M slope = 0.92

Full-hydro. SZ sky patches 5 deg²

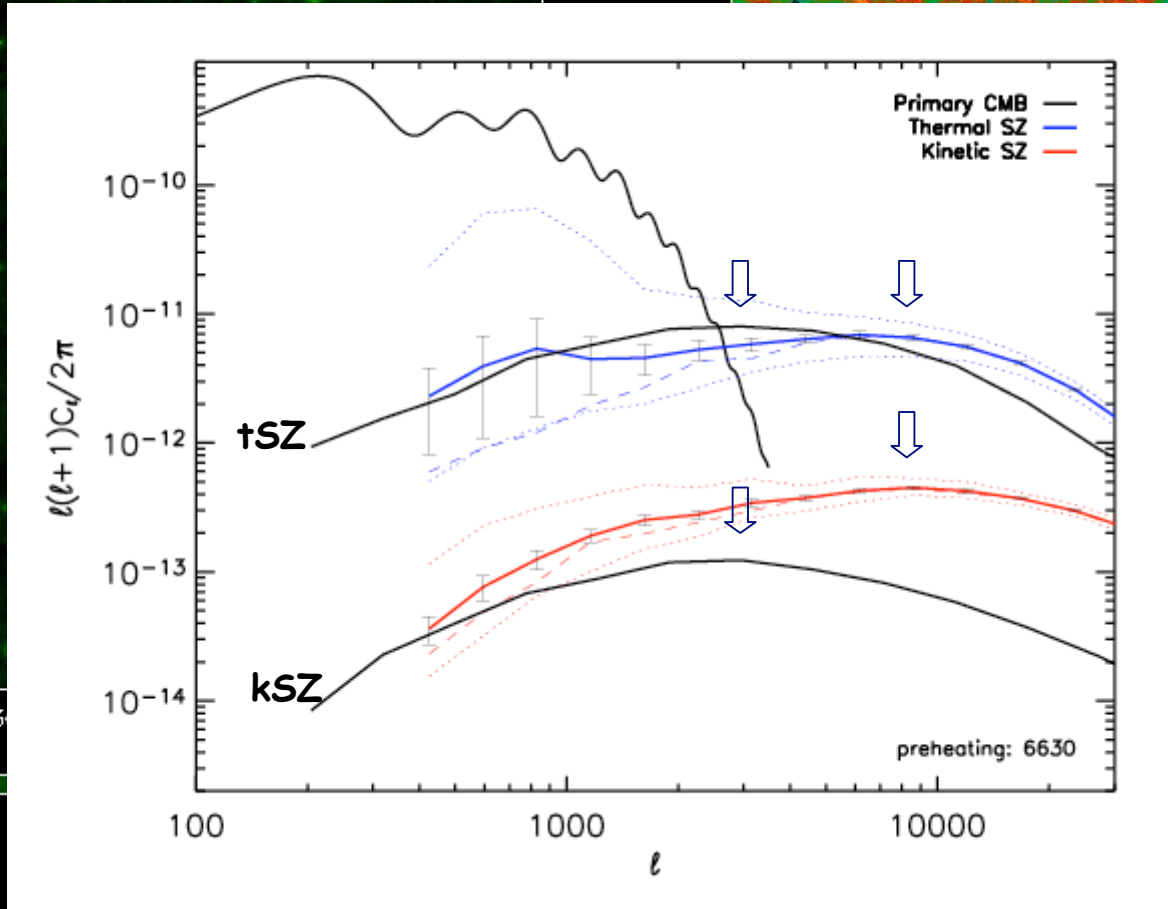
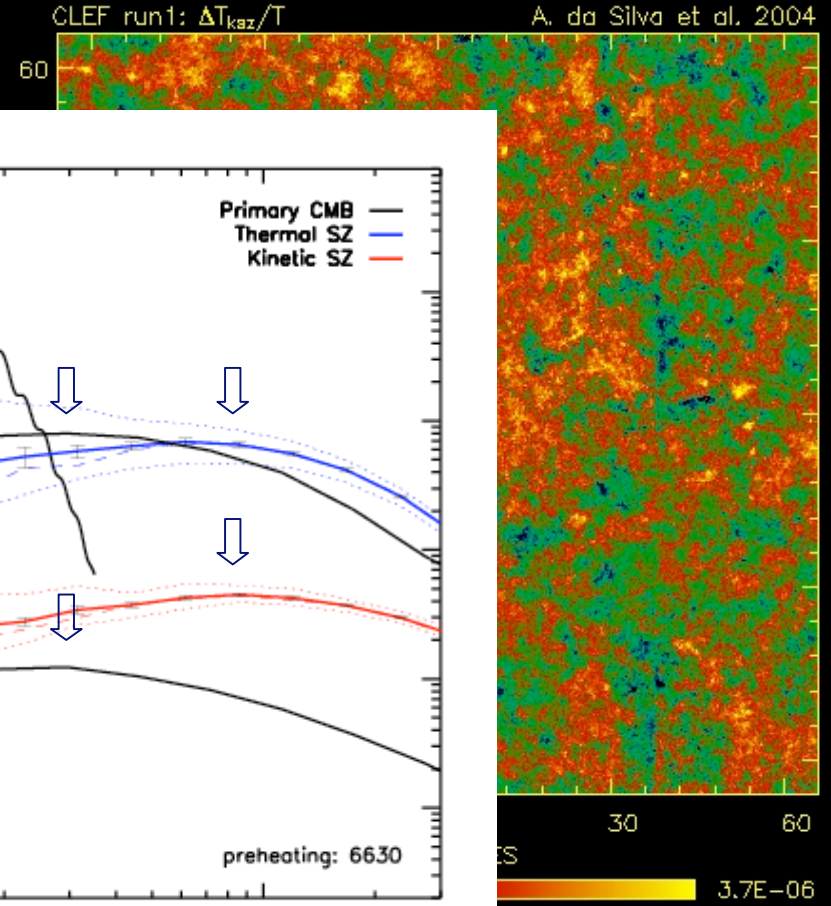
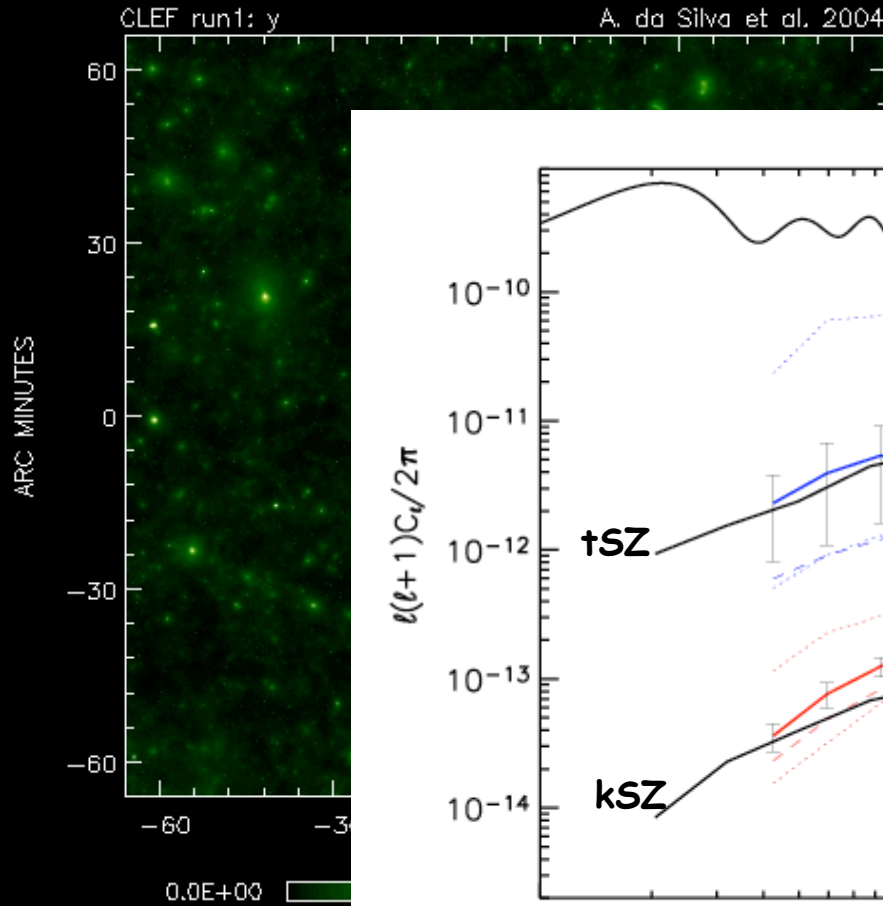


$y_{\text{mean}} = 3.6 \text{ E-6}$; $\text{Sigma}_y = 2.0 \text{ E-6}$



$\text{Sigma}_k = 9.67 \text{ E-7}$

Full-hydro. SZ sky patches: 5 deg²



ymean = 3.6 E-6; Sigma_y = 2.0 E-6

Sigma_k = 9.7 E-7

CLEF cluster catalogues:

Large catalogue:

- wide range of mass (up to $2e15 M_{\text{sun}}/h$)
- 36 snapshots $0 < z < 15$

Templates of clusters for all sky maps

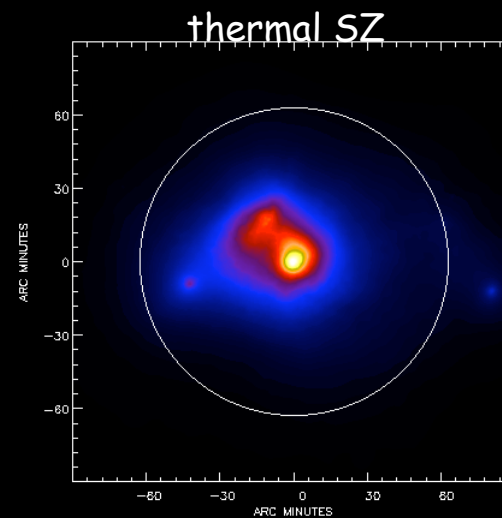
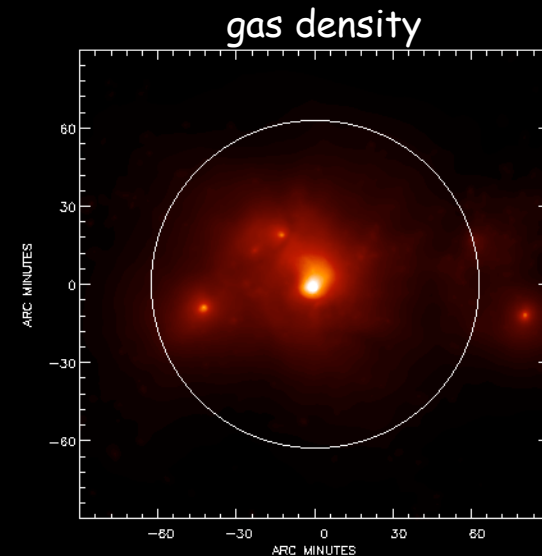
- N-body + hydro cluster (Shafer et al 2004)
- Analytical (Melin et al 2004)

• Advantages:

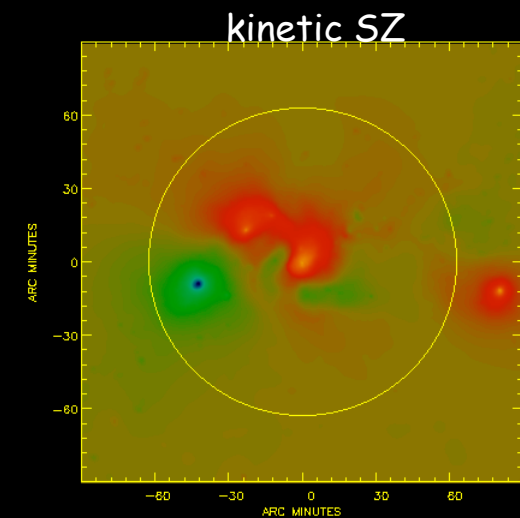
- ~10 000 clusters $0 < z < 1.46$
- ~500 clusters at $z=0$ with $TX > 1 \text{keV}$
- ~50 clusters at $z=0$ with $TX > 3 \text{keV}$

• Important aspects:

- scaling with non-gravitational physics
 - $Y(R)$ convergence
 - different z clusters are not independent (one sim.)

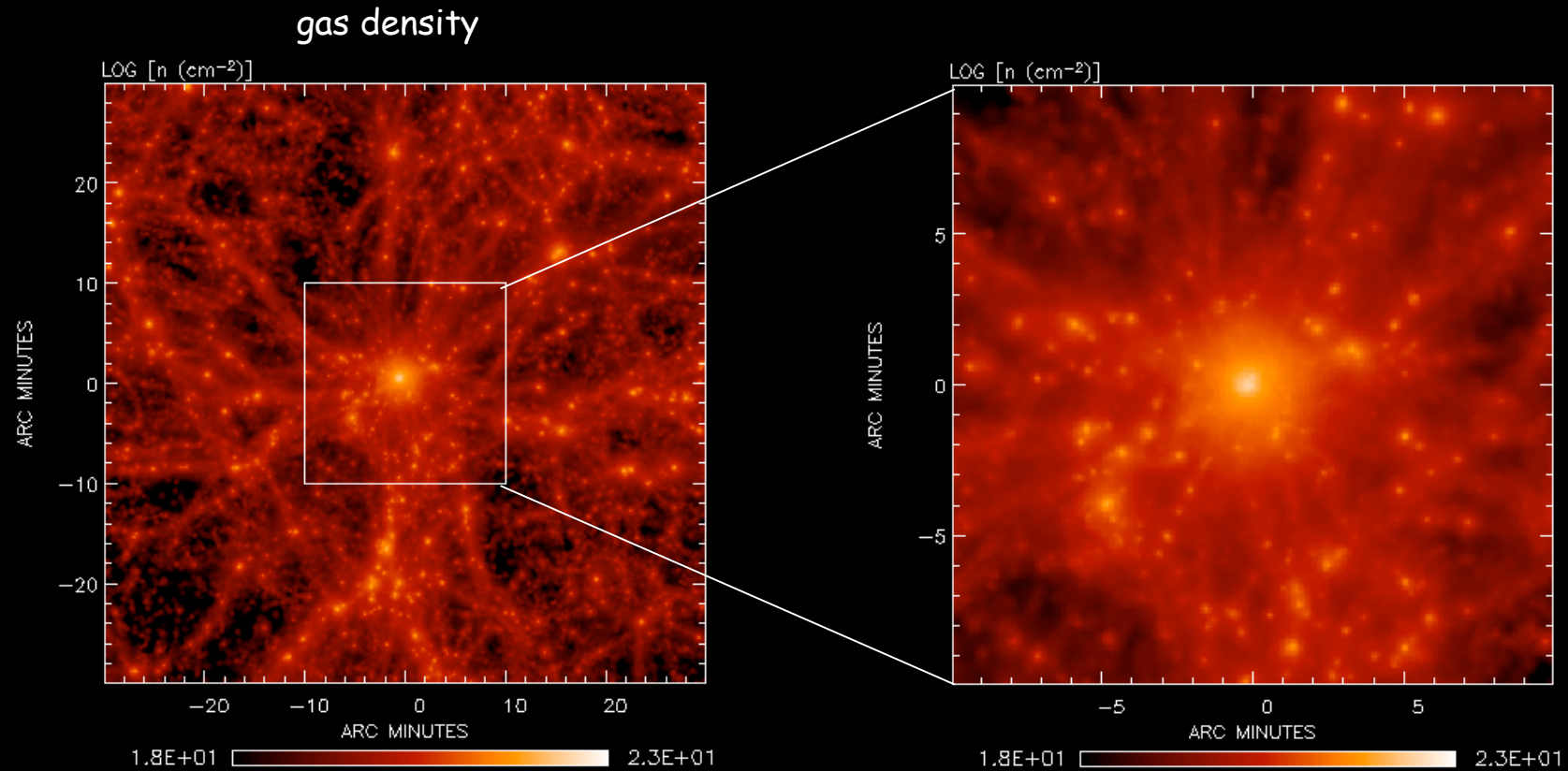


$y_{\text{max}}=2e4$



$[-5e-5, 5e-5]$

High-resolution cluster maps:

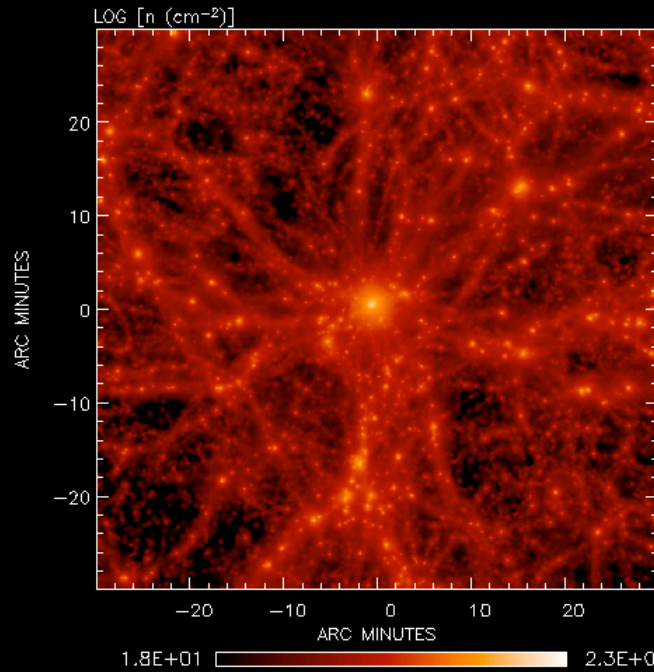


Cluster simulation:

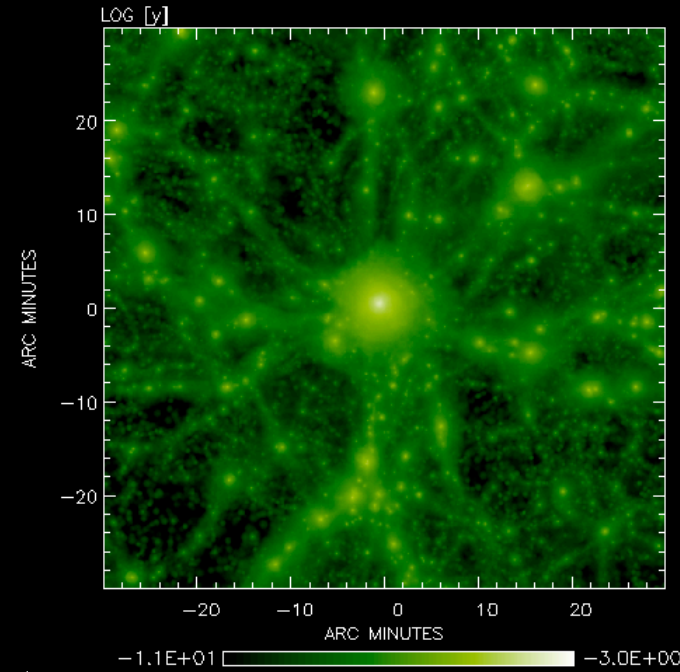
- $\text{soft_phy}=2.8 (10^*a) \text{ kpc/h}$ \Rightarrow pixel size: $\sim 3 \text{ arcsec @}$
- $z=0.75$
- $m_{\text{gas}}=2.1 \text{ e}8 \text{ Msun/h}$; $m_{\text{dark}}=1.1 \text{ e}9 \text{ Msun/h}$
- non-radiative physics

High-resolution cluster maps:

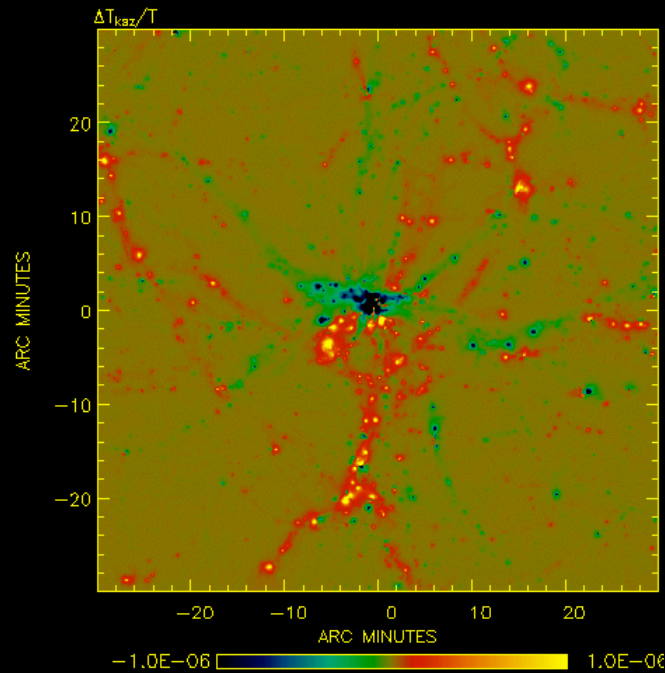
gas
density



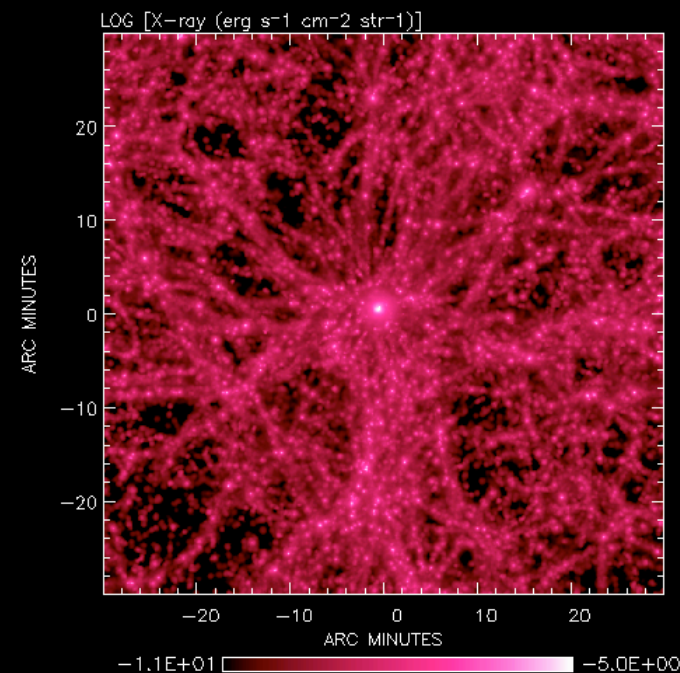
thermal SZ



kinetic SZ



X-ray



High-resolution polarisation maps:

CMB quadropole induces linear polarisation:

$$\tan(2\phi) = \frac{U}{Q}$$

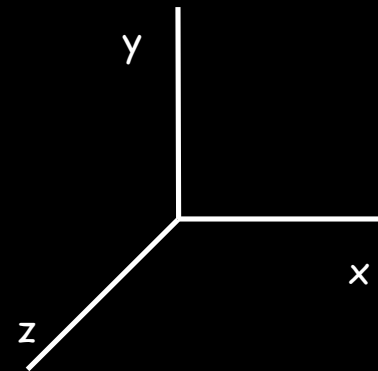
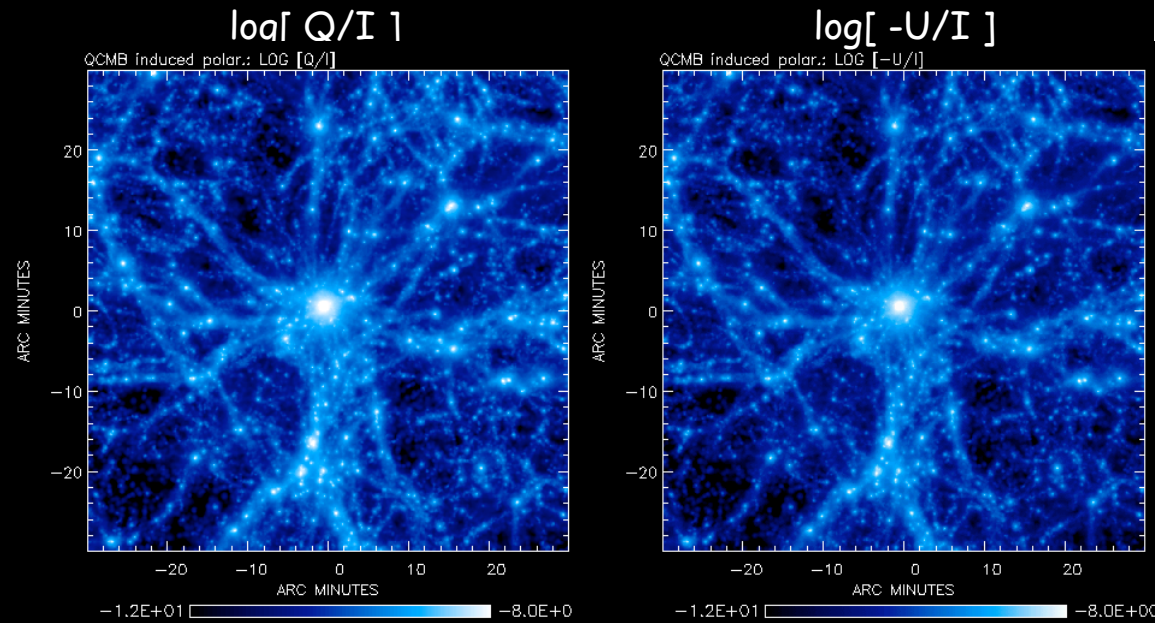
Line-of-sight integration:

$$U/I \propto n_{e,T}$$

QCMB

$$Q/I \propto n_{e,T}$$

QCMB



High-resolution polarisation maps:

CMB quadropole induces linear polarisation:

$$\tan(2\phi) = \frac{U}{Q}$$

Line-of-sight integration:

$$U/I \propto n_{e-T}$$

QCMB

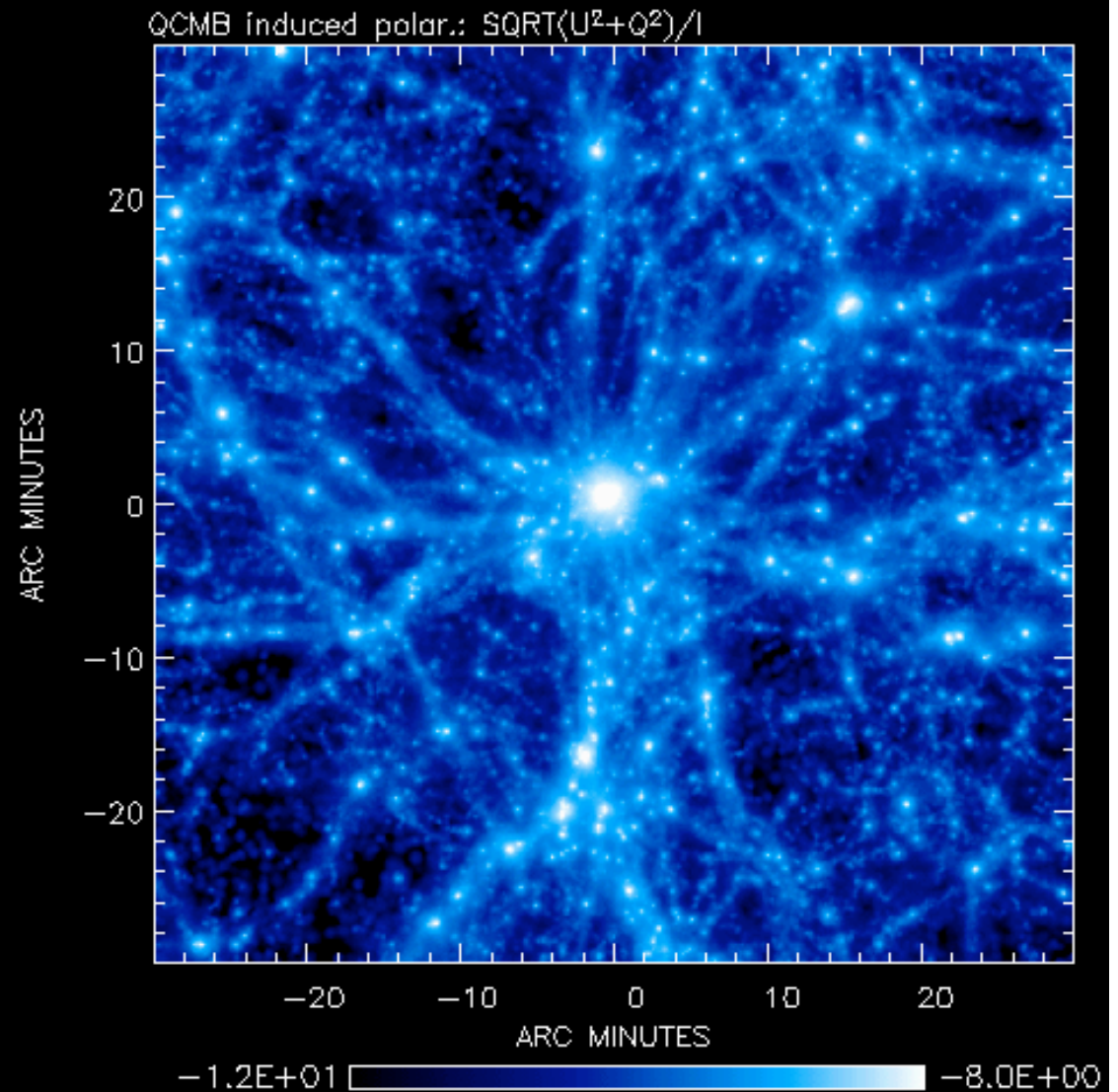
$$Q/I \propto n_{e-T}$$

QCMB

$$P = \frac{\sqrt{Q^2 + U^2}}{I}$$

Max degree of polarization:

$$\max(p) = 7.8e-8$$



High-resolution polarisation maps:

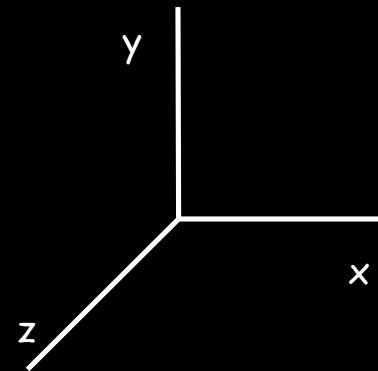
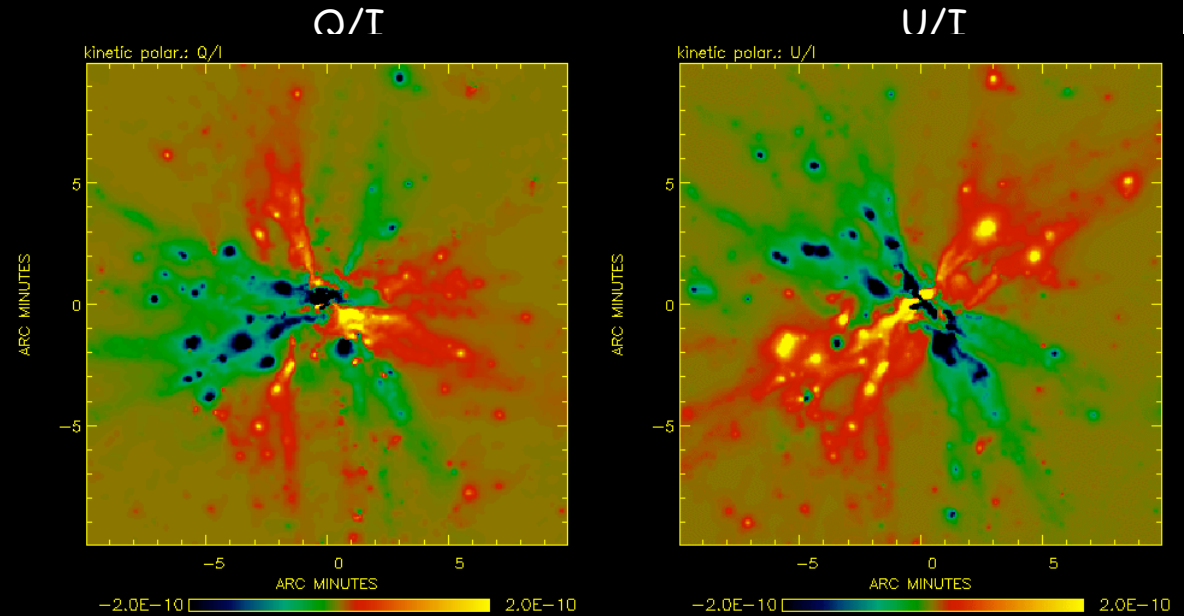
Gas transverse velocity (kinetic)
induces linear polarisation:

$$\tan(2\phi) = \frac{U}{Q}$$

Line-of-sight integration:

$$dQ = -0.1 I_{0\nu} \sigma_T f(x_\nu) n_e \beta_t^2 \cos(2\chi) dz$$

$$dU = -0.1 I_{0\nu} \sigma_T f(x_\nu) n_e \beta_t^2 \sin(2\chi) dz$$



High-resolution polarisation maps:

Gas transverse velocity (kinetic) induces linear polarisation:

$$\tan(2\phi) = \frac{U}{Q}$$

Line-of-sight integration:

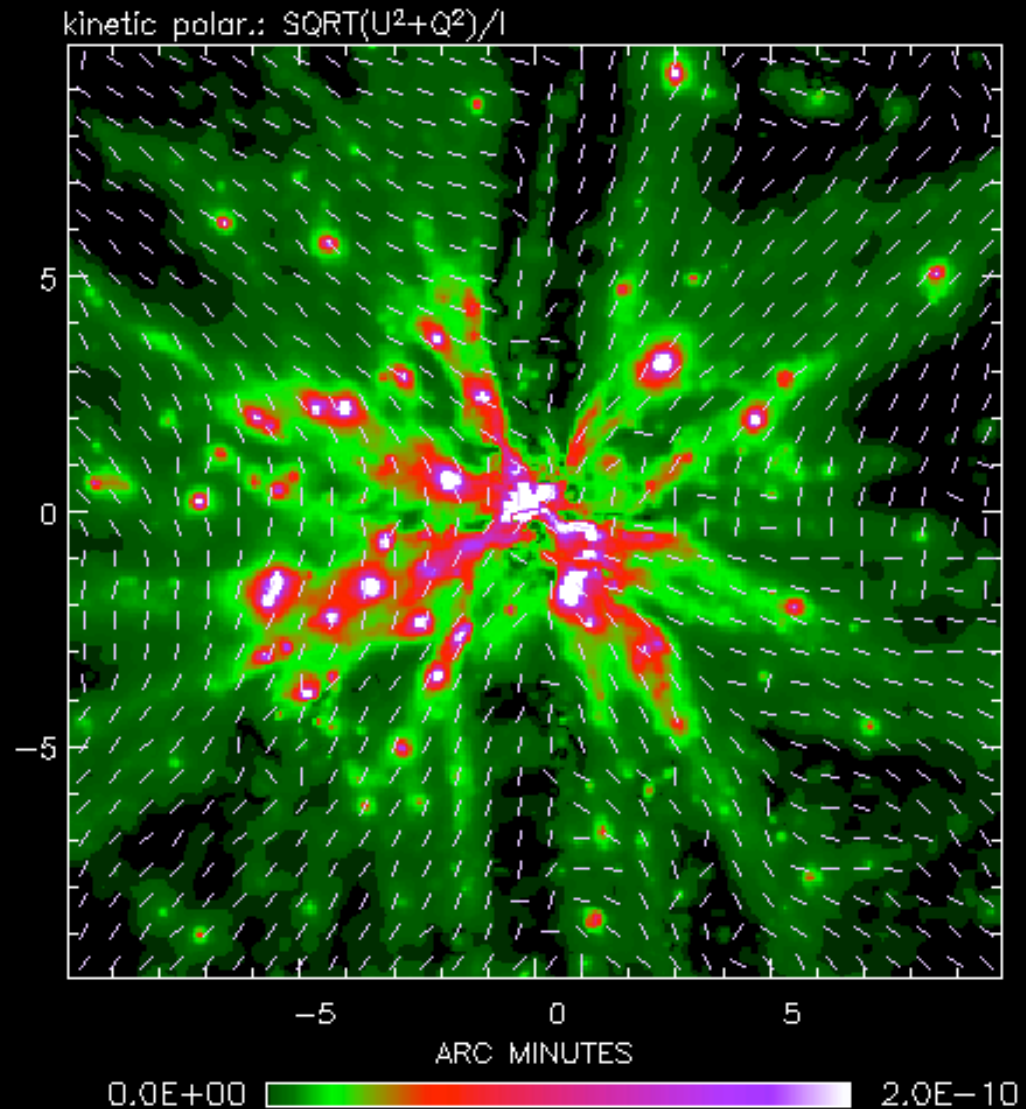
$$dQ = -0.1 I_{0\nu} \sigma_T f(x_\nu) n_e \beta_t^2 \cos(2\chi) dz$$

$$dU = -0.1 I_{0\nu} \sigma_T f(x_\nu) n_e \beta_t^2 \sin(2\chi) dz$$

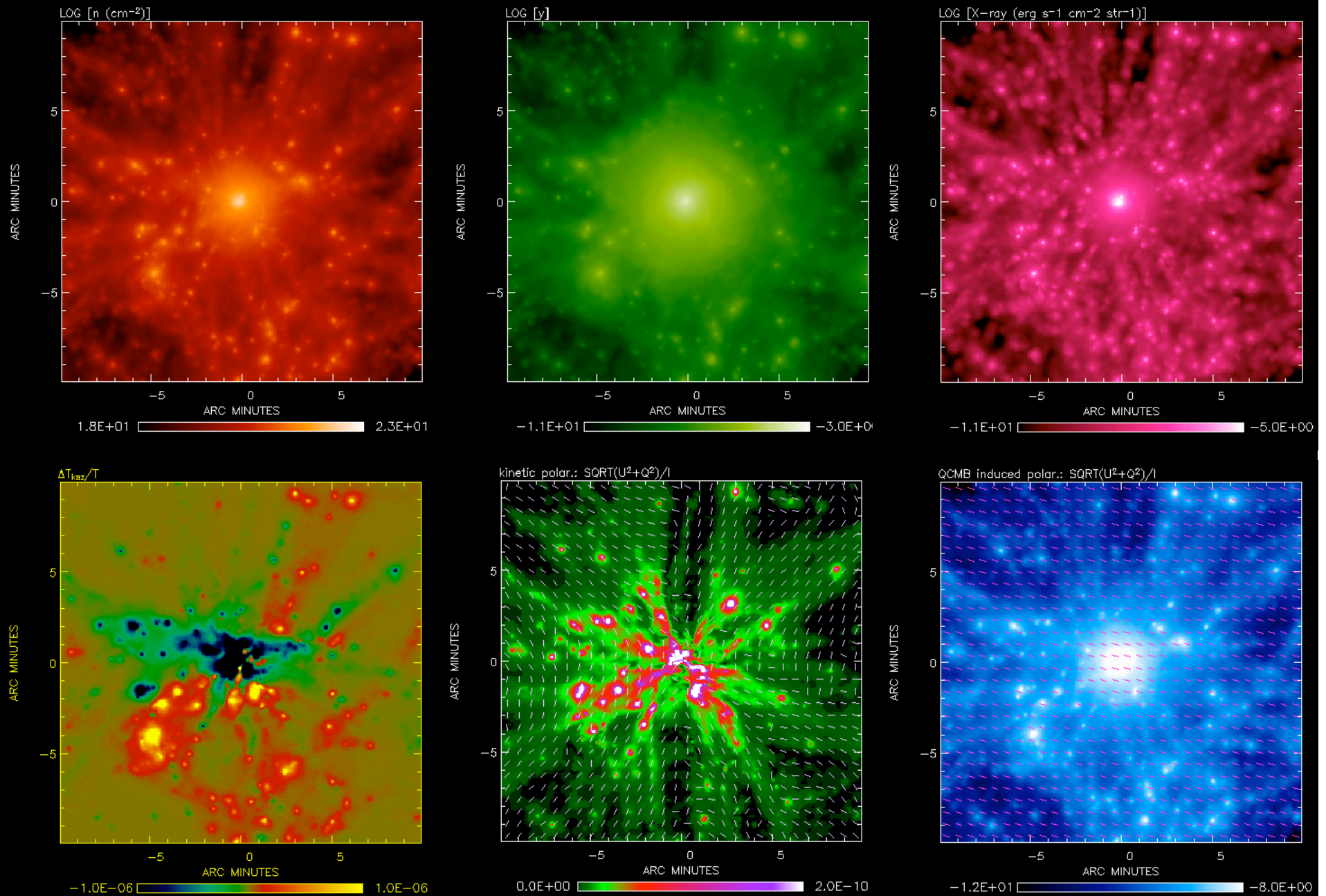
Max depolarization:

$$p = \frac{\sqrt{Q^2 + U^2}}{I}$$

$$\max(p) = 3.5e-9$$



High-resolution cluster maps:



Concluding remarks:

Cluster scaling laws from hydrodynamical simulations:

- **Radiative gas physics** (Cooling and energy feedback) has non negligible impact in **cluster scaling** relations and the **SZ effect**.
- The **magnitude** of these effects is not yet well understood and **need** to be properly assessed with hydro sims. for **preparing and interpreting** future SZ/CMB observations.

Hydro maps:

- High-resolution **maps** are the **most powerful** tool for studying **selection effects** of deep surveys (high-angular resolution), **complementarity** between different observational strategies,...
- High-resolution simulations (with and without extra gas physic) **exist!**
 - the **CLEF** run will permit to construct maps with 10 arcsecs
 - higher-resolution **cluster simulations** exist and new ones are **planned!**