## Star Formation and Herbig Ae / Be Stars

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- $A B \& S U$ Aurigaé, $\therefore \quad \cdots \quad$ Herbig, 1960


## Defining Herbig Ae/Be Stars

TABLE 1
Theoretical Nuclear $\left(t_{N}\right)$ and Contractive $\left(t_{K}\right)$ Time
Scales as a Function of Stellar Mass ( $\boldsymbol{m} / \boldsymbol{m}_{\odot}$ )

| $m / m_{\odot}$ | Main-Sequence <br> Spectral-Type <br> Corresponding <br> to $m / m_{\odot}$ | $t_{N}$ <br> (years) | $t_{K}$ <br> (years) |
| :---: | :---: | :---: | :---: |
| $1.5 \ldots \ldots$. | F0 | $1.1 \times 10^{9}$ | $1.2 \times 10^{7}$ |
| $2.0 \ldots \ldots$. | A5 | $5.2 \times 10^{8}$ | $5.8 \times 10^{6}$ |
| $3.5 \ldots \ldots$. | B9 | $\left.1.1 \times 10^{8} / t_{N}\right)^{-1}$ |  |
| $6.0 \ldots \ldots$. | B5 | $3.7 \times 10^{7}$ | $4.4 \times 10^{6}$ |
| $11.0 \ldots \ldots$. | B1 | $1.3 \times 10^{7}$ | 90 |
| $20.0 \ldots \ldots .59$ | O9.5: | $6.4 \times 10^{6}$ | $4.5 \times 10^{5}$ |

TABLE 2
Predicted Numbers of Still-contracting Stars of Large Mass

| Spectral-Type <br> Interval | Adopted <br> Value of <br> $\left(t_{K} / t_{N}\right)^{-1}$ | $N_{M S}:$ Number of <br> Main-Sequence <br> Stars pc | $N_{C}^{\prime}:$ Number <br> of Contracting <br> Stars within <br> 1 kpc | $N_{c}^{\prime}$, but <br> Corrected to <br> Limit of <br> $m_{v}=13.0$ |
| :--- | :---: | :---: | :---: | :---: |
| B0-B1 V.... | 100 | $4.6 \times 10^{-\tau}$ | 2.9 | 40. |
| B2-B3 V.... | 85 | $2.5 \times 10^{-6}$ | 18. | 155. |
| B5-B8 V.... | 80 | $1.7 \times 10^{-5}$ | 130. | 660. |
| B9-A0 V.... | 80 | $3.5 \times 10^{-5}$ | 280. | 780. |

Herbig, 1960

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| $20.0 \ldots \ldots$. | O9.5: | $6.4 \times 10^{6}$ | $4.5 \times 10^{4}$ | 140 |

TABLE 2
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## table for theorists

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Herbig, 1960

## Defining an object class, modestly

type. Although it is entirely possible that this list of peculiar objects does contain examples of still-contracting stars of large mass, no convincing proof of this supposition could be found. The essential reason was that, although there are some striking spectroscopic peculiarities among the stars examined, at the dispersions employed in this investigation the peculiarities did not appear to be unique to this group: they may be found as well in stars that are not associated with nebulosity.

## Herbig 1960

## Theoretical definition of "Intermediate" Mass

- Upper limit: 8
- evolution: SN, winds
- formation: no PMS, importance of radiation pressure, formation of HII region
- Lower limit: 1.5-3
- evolution: significant mass loss
- formation: multiplicity, radiative PMS

Herbig Ae/Be's don't quite match up..

Palla \& Stahler 2005

## Intermediate Mass Stars are in the Transition Zone

- Luminosities: transition zone in stellar structure on the PMS (or the end of the PMS)
- Accretion rates onto cores: transition zone between non-turbulent and turbulent initial conditions
- Ionization: transition zone between irrelevance and HII region dominated feedback
- Disks and Planets: the last (but easier to image) place for planets?

Does transition imply a break in formation process?

## Do we need more than one mode of star formation: CMF vs IMF



## Beware IMF / CMF connection

i) Not all cores are 'prestellar'. Here we show the emerging IMF that could arise if the low-mass cores in the CMF are transient 'fluff'.


ii) Core growth is not self-similar. Here we show the emerging IMF that could arise if, say, only the low-mass cores in the CMF are still accreting.


Offner et al 2014
iii) Varying star formation efficiency (SFE). Here we show the emerging IMF that could arise if the high-mass cores in the CMF have a lower SFE than their low-mass siblings.

iv) Fragmentation is not self-similar. Here we show the emerging IMF that could arise if the cores in the CMF fragment based on the number of initial Jeans masses they contain.

v) Varying embedded phase timescale. Here we show the emerging IMF that could arise if the low-mass cores in the CMF finish before the high-mass cores.


## Multiplicity is Mass Dependent



Raghavan 2010

## Multiplicity is Mass Dependent



Raghavan 2010

## Two Star Formation Models

- Competitive Accretion
- Turbulent Core Fragmentation


## Two Star Formation Models

- Competitive Accretion
- Turbulent Core Fragmentation

Two "camps" are
converging. Elements of both cartoons are likely correct.

## Turbulent Core Accretion



- Scaling up from A to O changes contribution of thermal core
- This causes change in accretion rate with core mass


## higher mass



Bonnell et al 1997

## Competitive Accretion



Do we need more than one formation model theoretically?

- Competitive Accretion: No. All stars start the same, and intermediate mass ones grow more, but not as much as massive ones
- Turbulent Core Model: No. There exists a spectrum of density perturbations that seed stars of different masses

Comparing two numerical models that create intermediate mass stars


Bate 2012: CA


Krumholz et al 2012: TC numerical differences
CA

TC
turbulent spectrum

$$
k^{-4}
$$

$$
k^{-2}
$$

density
Feedback
$\mathcal{M}$

$$
1.2 \times 10^{-19} r^{0}
$$ radiation radiation, winds 13

7.5

## Competitive Accretion: Source for Herbig Ae/Be

Table 2. The numbers of single and multiple systems for different primary mass ranges at the end of the radiation hydrodynamical calculation.

| Mass range $\left(\mathrm{M}_{\odot}\right)$ | Single | Binary | Triple | Quadruple |
| ---: | :---: | :---: | :---: | :---: |
| $M<0.03$ | 7 | 0 | 0 | 0 |
| $0.03 \leq M<0.07$ | 20 | 0 | 0 | 0 |
| $0.07 \leq M<0.10$ | 8 | 3 | 0 | 0 |
| $0.10 \leq M<0.20$ | 17 | 7 | 1 | 0 |
| $0.20 \leq M<0.50$ | 21 | 9 | 2 | 2 |
| $0.50 \leq M<0.80$ | 5 | 2 | 0 | 1 |
| $0.80 \leq M<1.2$ | 2 | 1 | 1 | 0 |
| $M>1.2$ | 4 | 6 | 1 | 4 |
| All masses | 84 | 28 | 5 | 7 |



- Low mass end only (consistent with cluster mass)
- Tend to be in the center of the potential well
- Good agreement with field multiplicity and IMF



## Turbulent Core with winds, radiation

- Feedback reduces SFE (not enough)
- Massive cores don't all fragment
- Sub fragmentation not visible even when occurring (see Schnee et al 2009, Offner et al 2012)



$$
\begin{aligned}
& \text { McKee \& Tan } \\
& \stackrel{2004}{\dot{m}_{*}}=1.2 \times 10^{-3}\left(\frac{m_{* f}}{30 M_{\odot}}\right)^{3 / 4} \Sigma_{\mathrm{cl}}^{3 / 4}\left(\frac{m_{*}}{m_{* f}}\right)^{1 / 2} M_{\odot} \mathrm{yr}^{-1},
\end{aligned}
$$

## Low vs Intermediate / High Mass Stars


"Cores" are not different in mass, but in fragmentation properties. The distinction is due to stochastic ICs, location in potential.

Like CA: massive stars need potential. Like TC: identifiable, long lasting core.

## Understanding turbulent fragmentation



## Binaries form from filaments on these scales, then evolve



Offner, Kratter et al 2010, Krumholz et al 2012

- Both low and high mass star form binaries and interact at early times
- Lower mass star form in highly fragmented cores start out in very hierarchical multiples, but likely decay
- Higher mass stars form as multiples in centrally condensed regions, and may keep a higher fraction of bond companions



## Disk Fragmentation becomes alternate binary formation mechanism for more massive stars



Intermediate mass stars might harbor massive, self-gravitating disks at early times. Magnetic disk instabilities should also be more efficient
Kratter et al 2008, 2010

## How do we know if disks fragment?

## Environment

Derived
$\Gamma=\frac{\dot{M}_{\text {in }}}{M_{* d} \Omega\left(R_{\text {circ }}\right)} \quad \xi=\frac{\dot{M} G}{c_{\mathrm{s}, \text { disk }}{ }^{3}} \quad \mu=\frac{M_{d}}{M_{d}+M_{*}} \quad Q=\frac{c_{s} \kappa}{\pi G \Sigma}$
set by core/ turbulence: orbital time / mass
doubling time
set by core and disk thermodynamics
set by relative accretion rates
purely local disk quantity
normalized accretion rate



1.42

$$
\xi=\frac{\dot{M} G}{c_{s}^{3}}
$$

Kratter et al 2010

## Orbital properties are not fixed at birth

-Cluster Evolution
-Disk interactions?

- Dynamical Interactions



Kroupa 1995

Disk-Disk interactions with moving mesh code, AREPO (Springel 2009)

Diego Munoz

## Disk-Disk interactions

- Need high stellar densities for close enough interactions
- Disk-orbit misalignment aids in orbit change, but outcome is not well aligned



Munoz, Kratter et al, in prep

## Disk Alignment in Binaries

## does this shed light on formation?




Fig. 4. The distribution in the difference between spectropolarimetrically predicted disk PA and observed disk PA for the sample presented in Table 3 (blue dashed). This is compared to a random distribution (black short dotted). On the left we show a distribution where polarisation signatures are always orientated perpendicularly to circumstellar disks and on the right we present the distribution for a scenario where the spectropolarimetric signatures can be either perpendicular or parallel to disks (see the text for more detail). Both model distributions have a maximum error of $15^{\circ}$. In both cases, a random orientation of disk and polarisation position angles can be discarded at the $3 \sigma$ level.

Wheelwright et al 2011

## Stellar Structure, Disks

- Early development of radiative zone means that internal luminosity gets more important


## At accretion midpoint...



Figure 18.7 Thermal relaxation in a $3.5 M_{\odot}$ star. The left panel shows the evolution of the specific entropy, while the right follows the internal luminosity. Both plots cover the first $2 \times 10^{5} \mathrm{yr}$ of quasi-static contraction. The zero point of specific entropy is arbitrarily set at $T=2.05 \times 10^{6} \mathrm{~K}$, $\rho=5.16 \mathrm{~g} \mathrm{~cm}^{-3}$.

Palla \& Stahler 2004, 2005
influences planet formation / accretion disk physics for intermediate mass stars

Planet formation and accretion depends on radiation


## Conclusions

- Even theorists agree that one mechanism can mostly explain low, intermediate, and high mass star formation. And there aren't even two very different theories.
- Observations (see next talk) agree with continuity, but very different physical systems look the same observationally
- Starting with Herbig Ae/Be's, conditions are plausible for fragmentation of disks into low or equal mass companions
- Herbig Ae/Be's can be interesting sites to study planet formation and disks, but may not be totally representative of solar analogs due to stellar structure on PMS

