

The mass distribution in spiral galaxies

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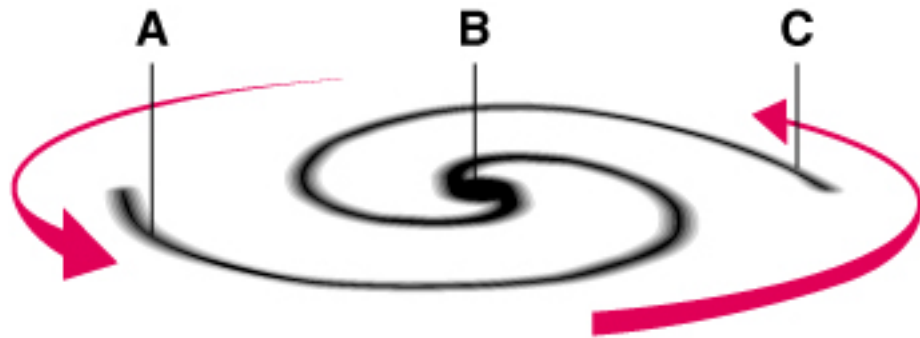
In collaboration with Paolo Salucci,
Alessandro Pizzella, Niv Drory



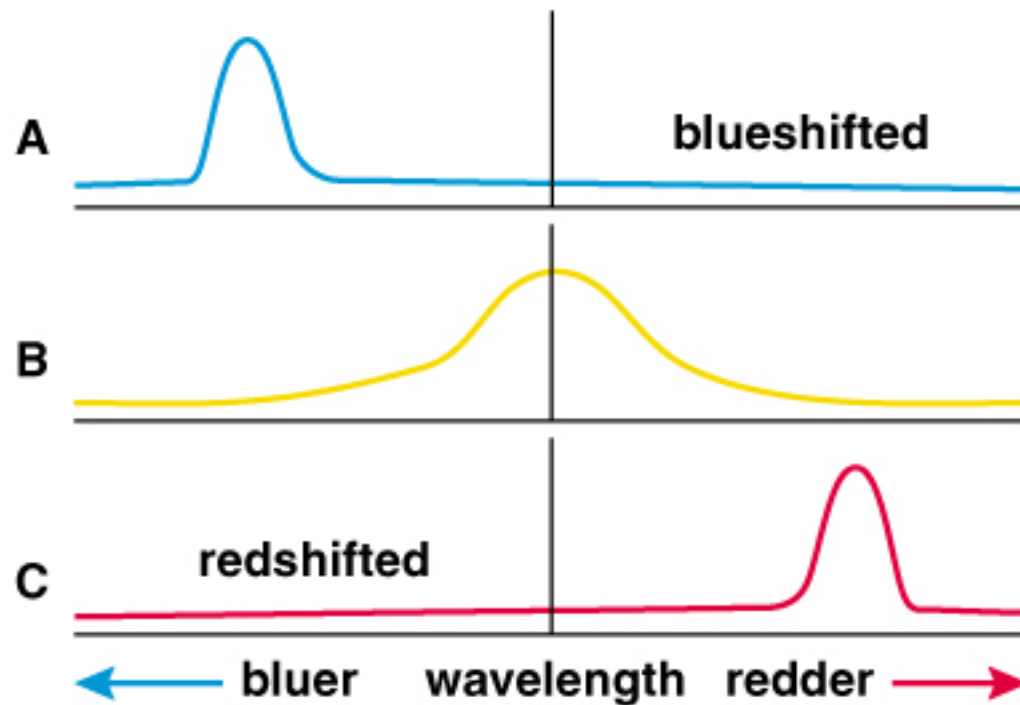
Outline:

- The disk mass of spiral galaxies
- Radial Tully-Fisher relation (RTF)
- Satellites of spiral galaxies

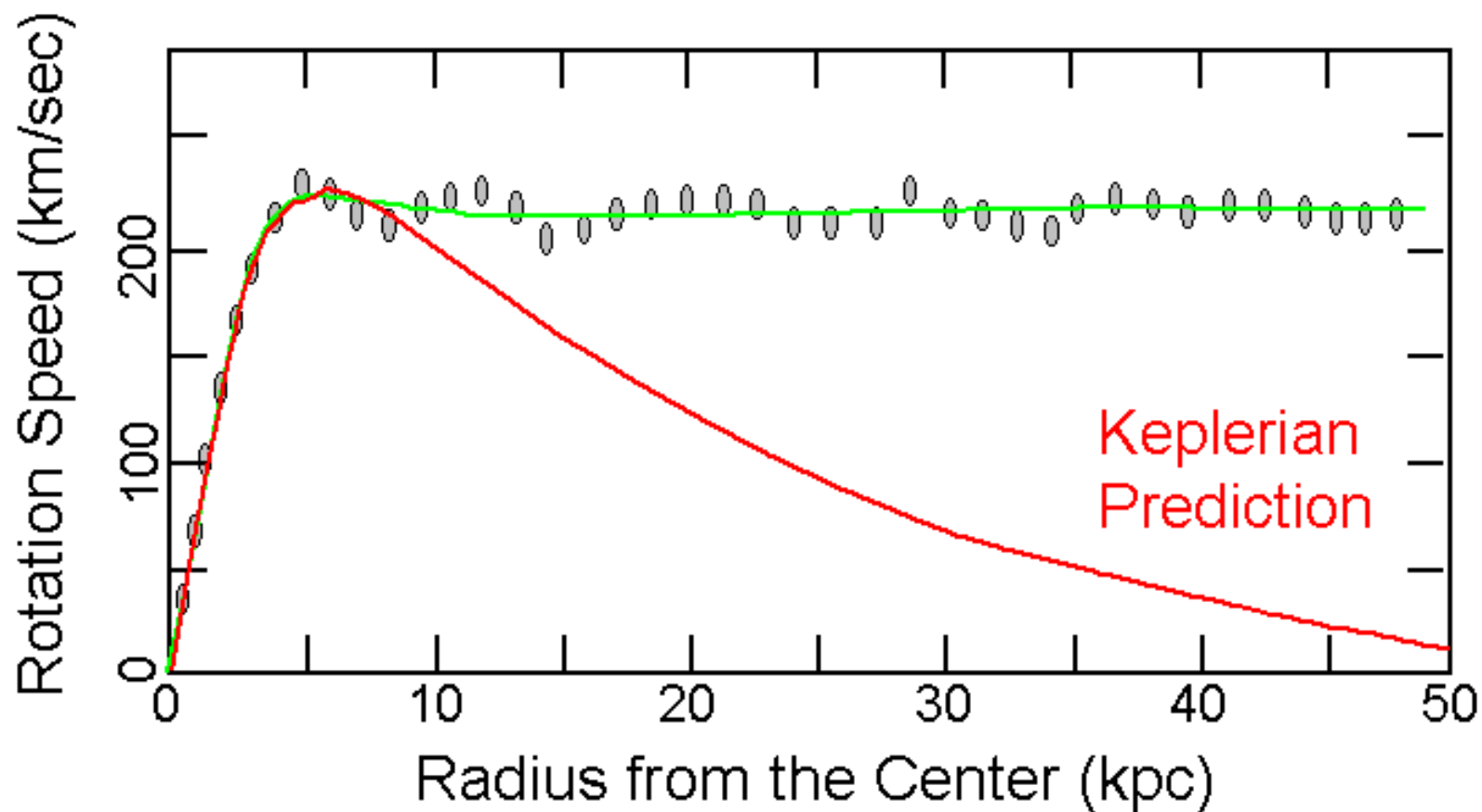




$$M(R) = \frac{V_{\text{rot}}^2 R}{G}$$



Observed vs. Predicted Keplerian



Two different methods to determine the masses of spiral galaxies

1. Using kinematical data

$$V = [V_d^2 + V_h^2]^{1/2}$$

$$V_d^2(x) = V^2(R_{\text{opt}}) \beta \frac{1.97x^{1.22}}{(x^2 + 0.78^2)^{1.43}}$$

$$V_h^2(x) = V^2(R_{\text{opt}}) (1 - \beta) (1 + a^2) \frac{x^2}{(x^2 + \alpha^2)}$$

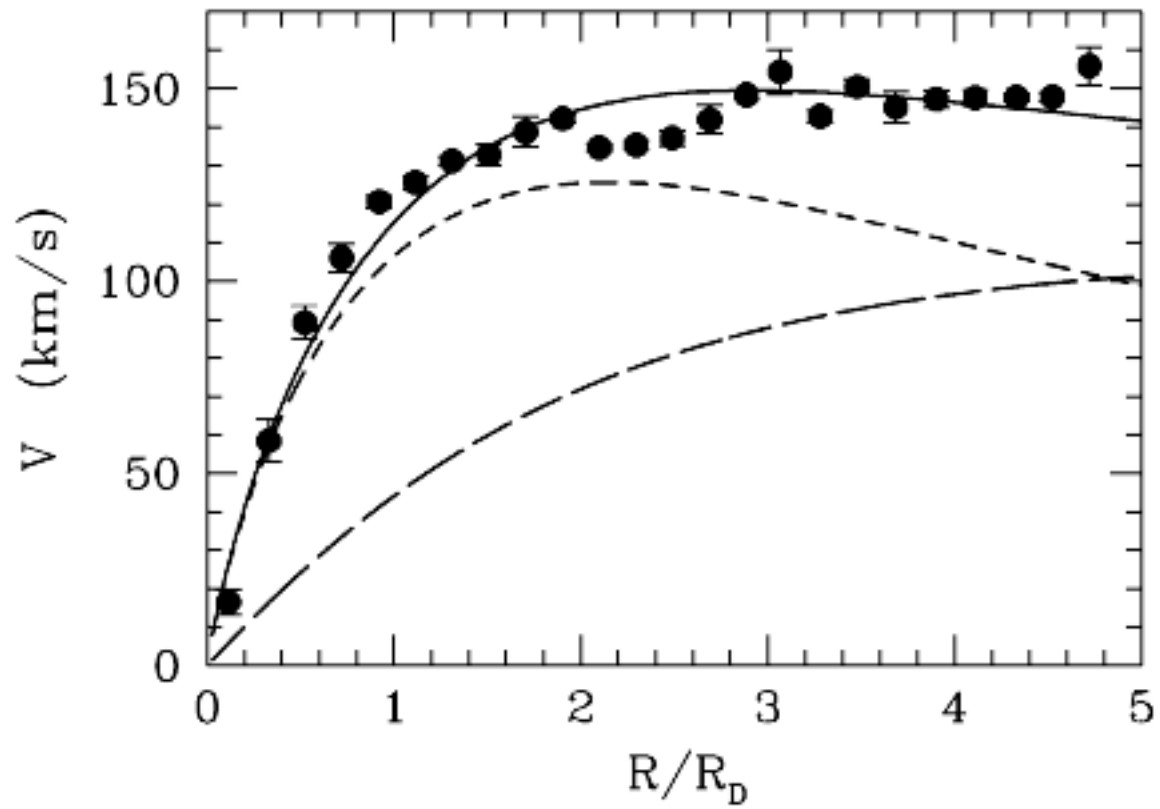
$$x = R/R_{\text{opt}}$$

$$\beta \equiv [V_d(R_{\text{opt}})/V(R_{\text{opt}})]^2$$

$$R_{\text{opt}} = 3.2R_d$$

$$M = 2V_d^2 R_d$$

UGC 8460



2. Using photometrical data

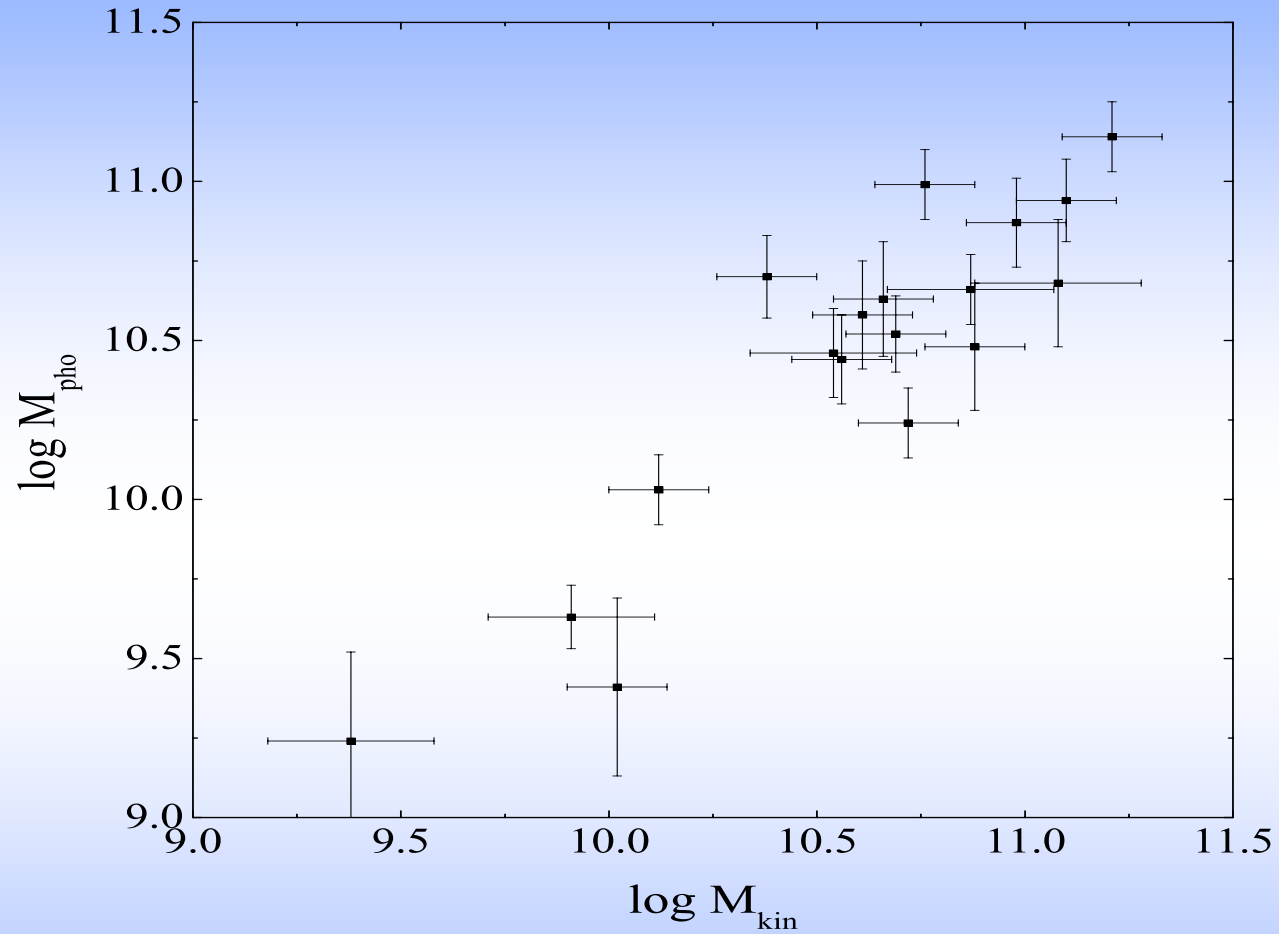
The method is based on the comparison of multicolor photometry from SDSS to a grid of stellar population synthesis models

([Niv Drory](#), Max-Planck, Garching)

The data:

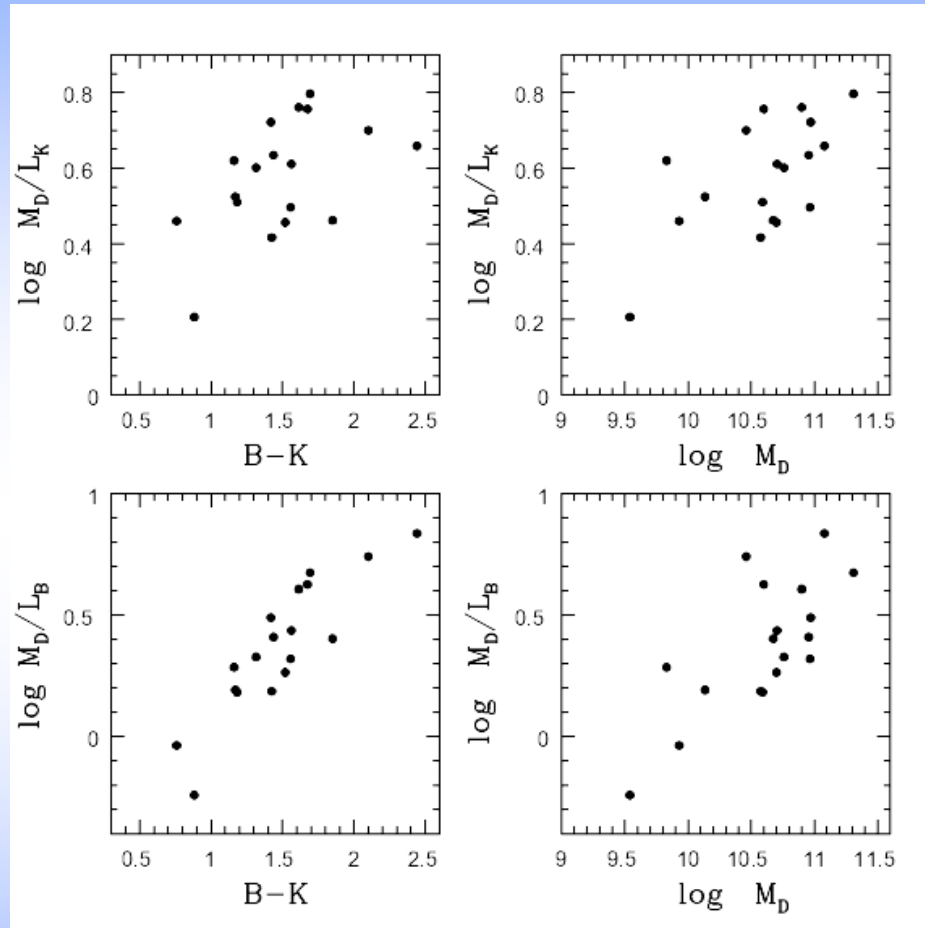
ugriz bands from the Sloan Digital Sky Survey (SDSS)
(Data Release 4)

JHK bands from the 2 Micron All Sky Survey



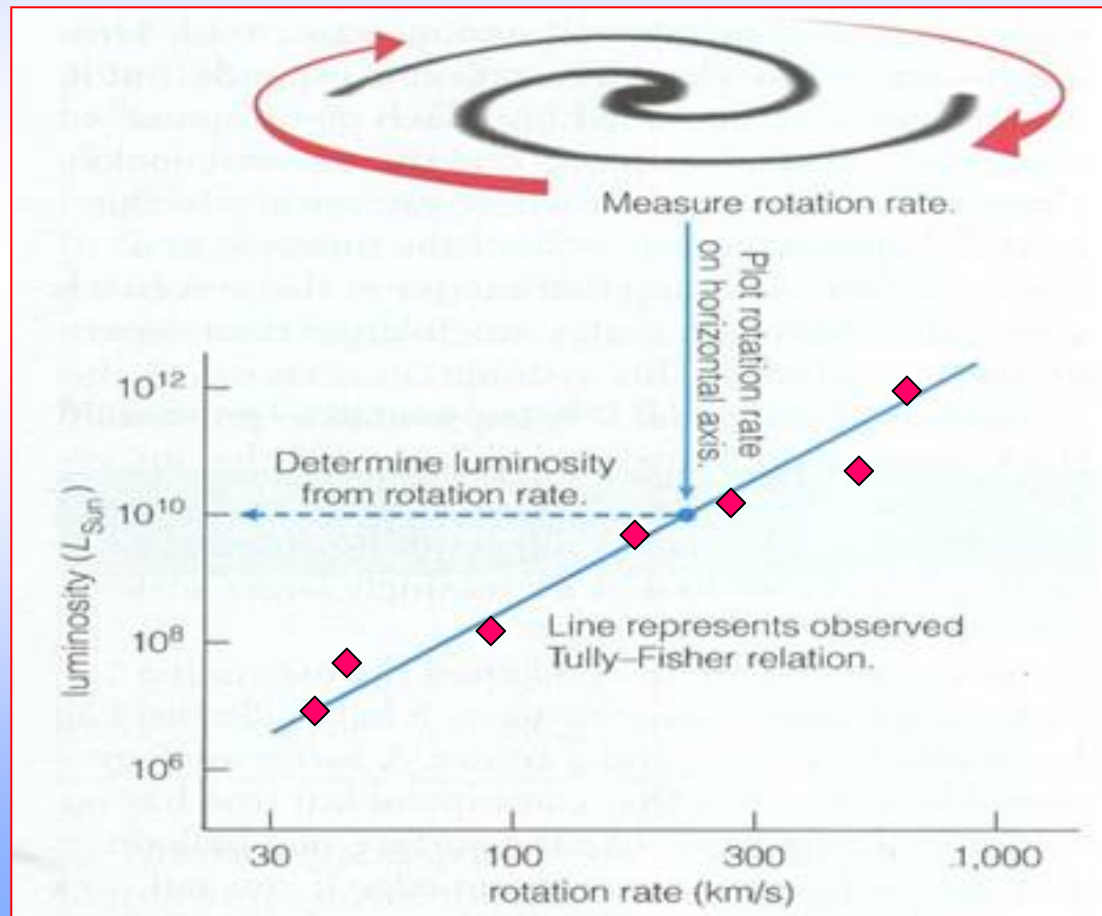
$$\log M_{\text{pho}} = (-0.4 \pm 1.27) + (1.02 \pm 0.12) \log M_{\text{kin}}$$

Mass-to-light ratio vs color and luminosity



$$\log M_D \cong \frac{1}{2} (\log M_{pho} + \log M_{kin})$$

The Tully-Fisher (TF) relation is an empirically established correlation between the luminosity L of a spiral galaxy and its rotational velocity V (Tully-Fisher, 1977)



New method of determining Distances to galaxies

R.B.Tully and J.R.Fisher,
A&A, 54. 661-673, 1977

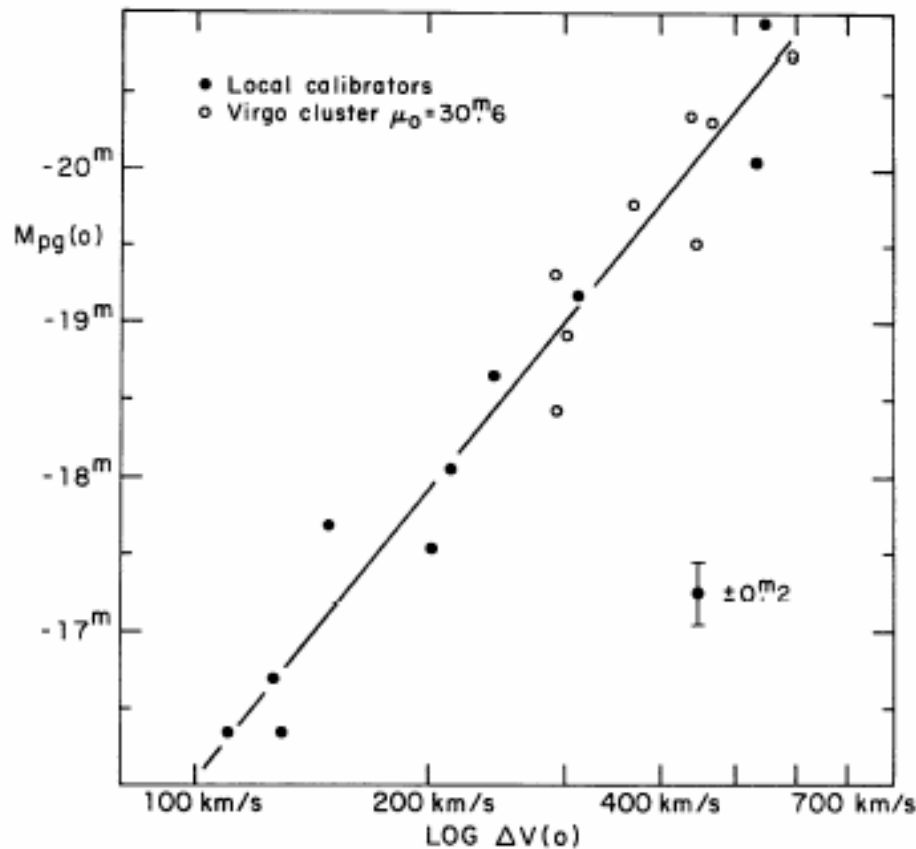


Fig. 5 (a) Absolute magnitude – global profile width relation produced by overlaying Figure 3 on Figure 1, adjusting Figure 3 vertically to arrive at a best visual fit with a distance modulus of $\mu_0 = 30^m.6 \pm 0^m.2$

TF-relation has two important applications:

1. It is used to obtain cosmological distances

$$M = m - 5\log D - 25$$

2. It can be used for studying the dynamical properties and the evolution of galaxies

Physical basis of the TF-relation

From the equation of centrifugal equilibrium we get:

$$V_0^2 = \gamma \frac{G M}{R_c}$$

V_0 – representative velocity, M - total mass,
 R_c – characteristic radius of luminous matter
 γ - structural parameter depending on the shape
of the mass distribution

$$\text{total mass } M = M_{\text{dark}} + M_{\text{lum}}$$

dark matter parameter

$$\alpha = \frac{M_{\text{dark}}}{M_{\text{lum}}}$$

surface density parameter

$$\mu_0 = \frac{M_{\text{lum}}}{R_c^2}$$

The first equation can be written in this form:

$$M_{lum} = V_0^4 [\gamma^2 (1 + \alpha)^2 G^2 \mu_0]^{-1}$$

This equation can be written in the form of the
Tully-Fisher relation:

$$L = V_0^4 [\gamma^2 (1 + \alpha)^2 G^2 \mu_0 (M_{lum} / L)]^{-1}$$

$$M = M_{sun} - 2.5 \log(L / L_{sun})$$

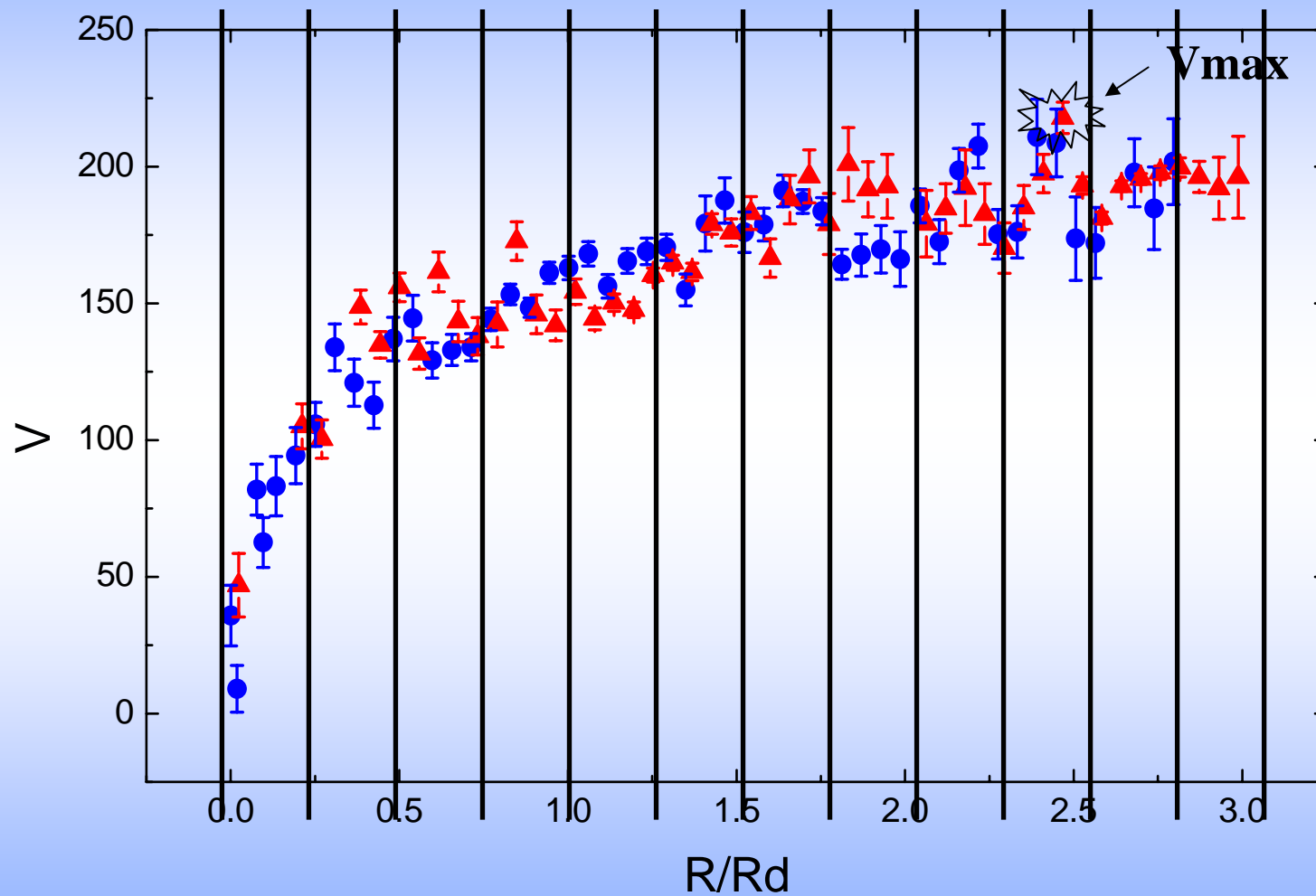
Samples:

1st sample: **967** spiral galaxies Mathewson
(1992)

2nd sample: 304 spiral galaxies Courteau
(1997)
86 galaxies selected for analysis

3 sample: 329 spiral galaxies Vogt (2004)
81 galaxies selected for analysis

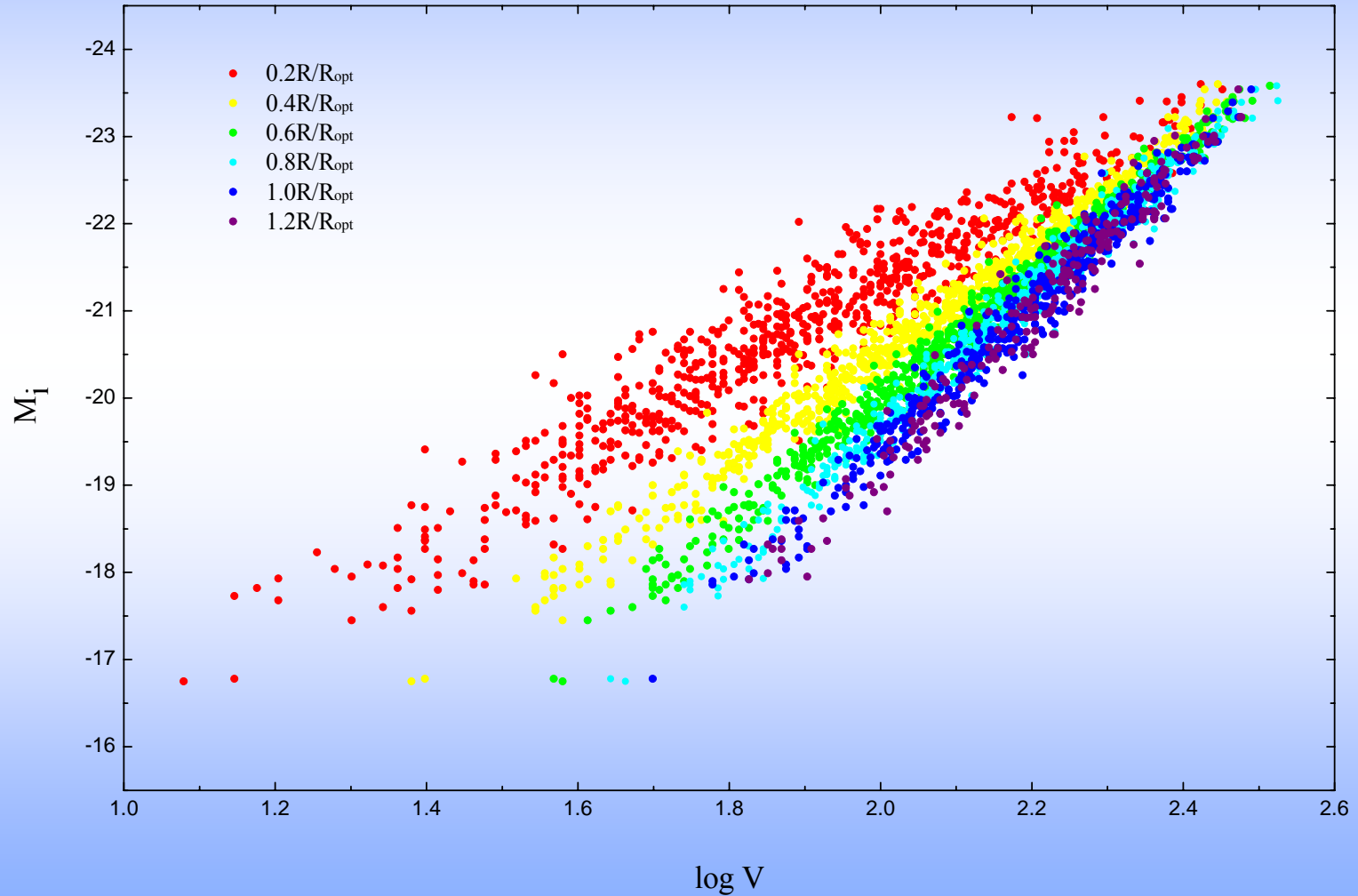
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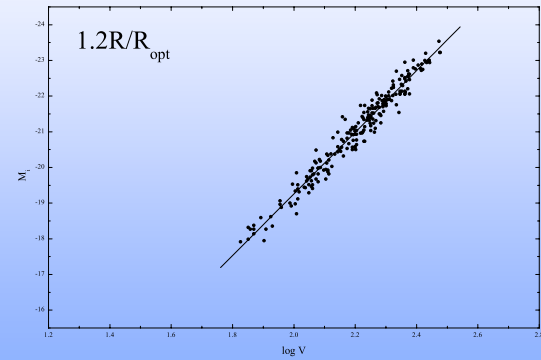
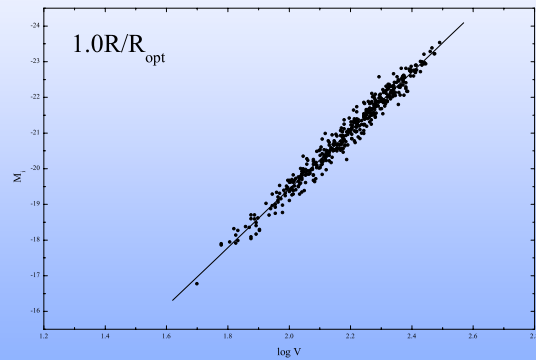
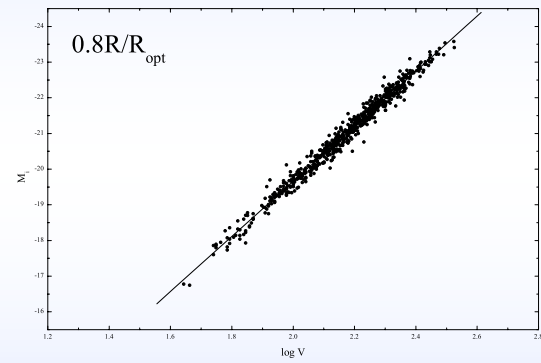
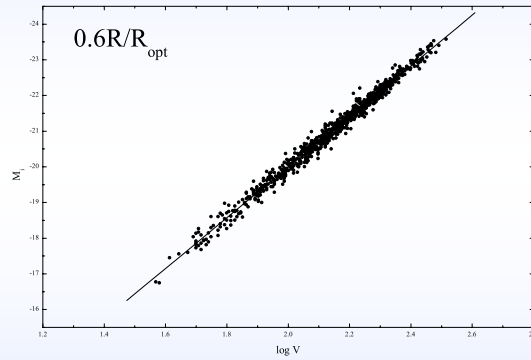
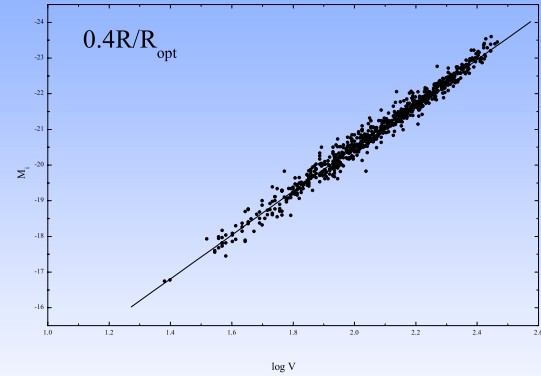
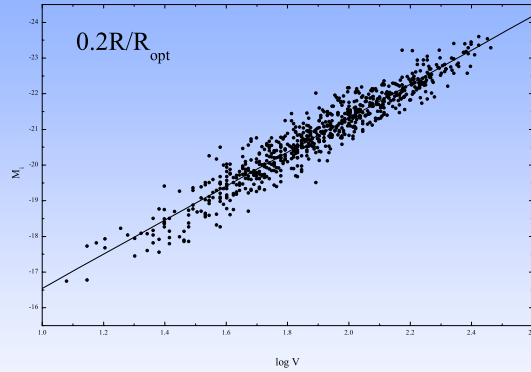
1. Mathewson sample: $R \longrightarrow R/R_{\text{opt}}; \quad \text{bin}=0.2$
2. Courteau sample: $R \longrightarrow R/R_d; \quad \text{bin}=0.2$
3. Vogt sample: $R \longrightarrow R/R_d; \quad \text{bin}=0.2$

$R_{\text{opt}}=3.2R_d$, where R_d is the disk exponential length-scale, for Freeman (exponential) disk this corresponds to the 25 B-mag/arcsec² photometric radius.

1st sample: TF-relation for 967 galaxies

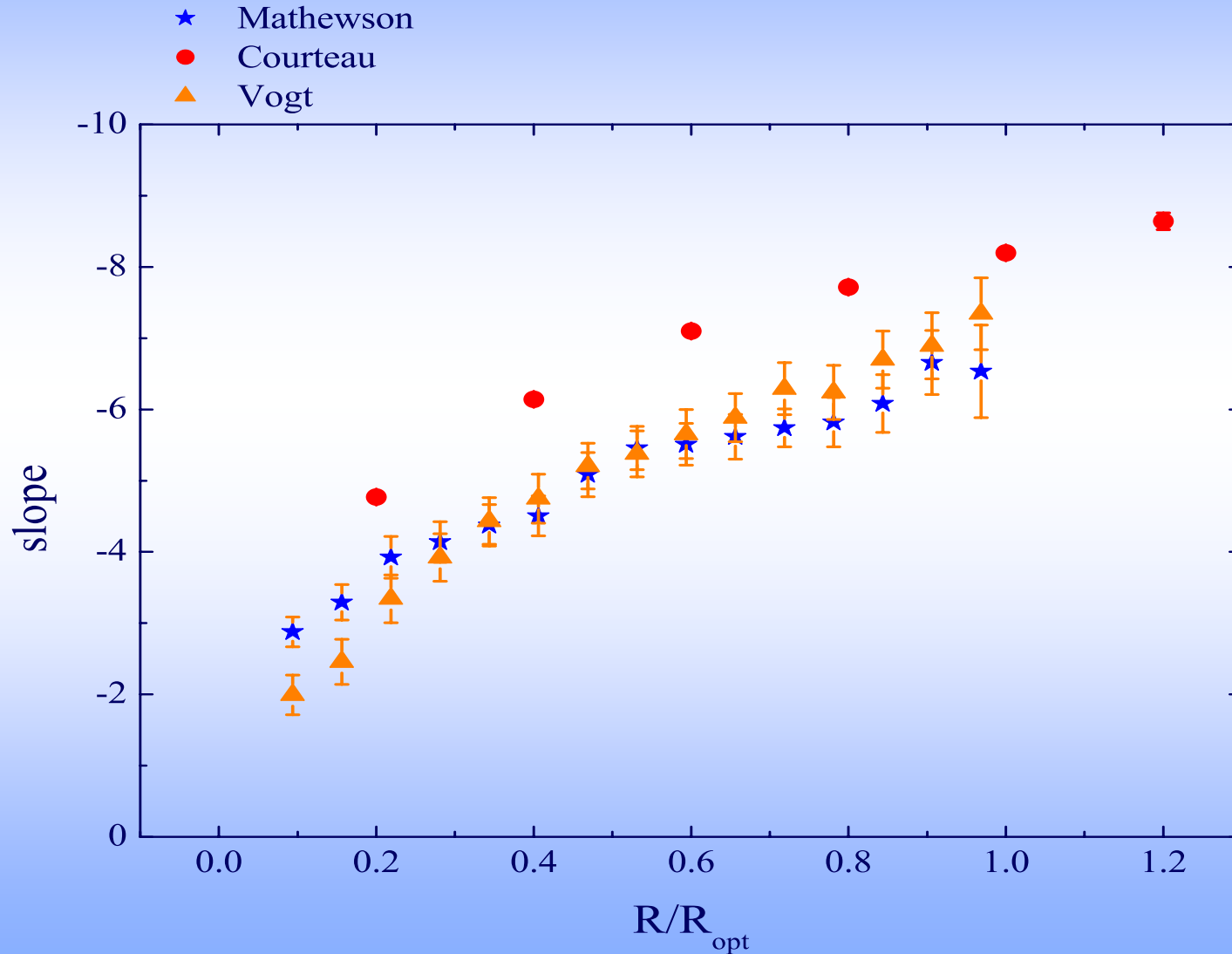


1st sample: TF-relation for 967 galaxies



Slope of the TF-relation

$$M_B = a_i + b_i \log V(R_i)$$



Gap in the slopes of 2 samples:

$$L = V_0^4 [\gamma^2 (1 + \alpha)^2 G^2 \mu_0 (M_{lum} / L)]^{-1}$$

No dark matter $L_x^{1+k} = V^4$

$$M_x = -2.5 \left(\frac{4}{1+k} \right) \log V; \quad \frac{M_{lum}}{L} \sim L^k$$

k=0.1 for I band
k=0.3 for R band  function of the band

The slope of TF-relation is related to k

Physical meaning of the slope

The slope of the TF-relation steadily rises with distance due to the fact that the fractional amount of the dark matter in galaxies changes with the radius.

$$L \sim V_0^4 (1 + \alpha(R, L))^{-2}$$

$$\frac{M_{\text{dark}}}{M_{\text{lum}}} = \alpha$$

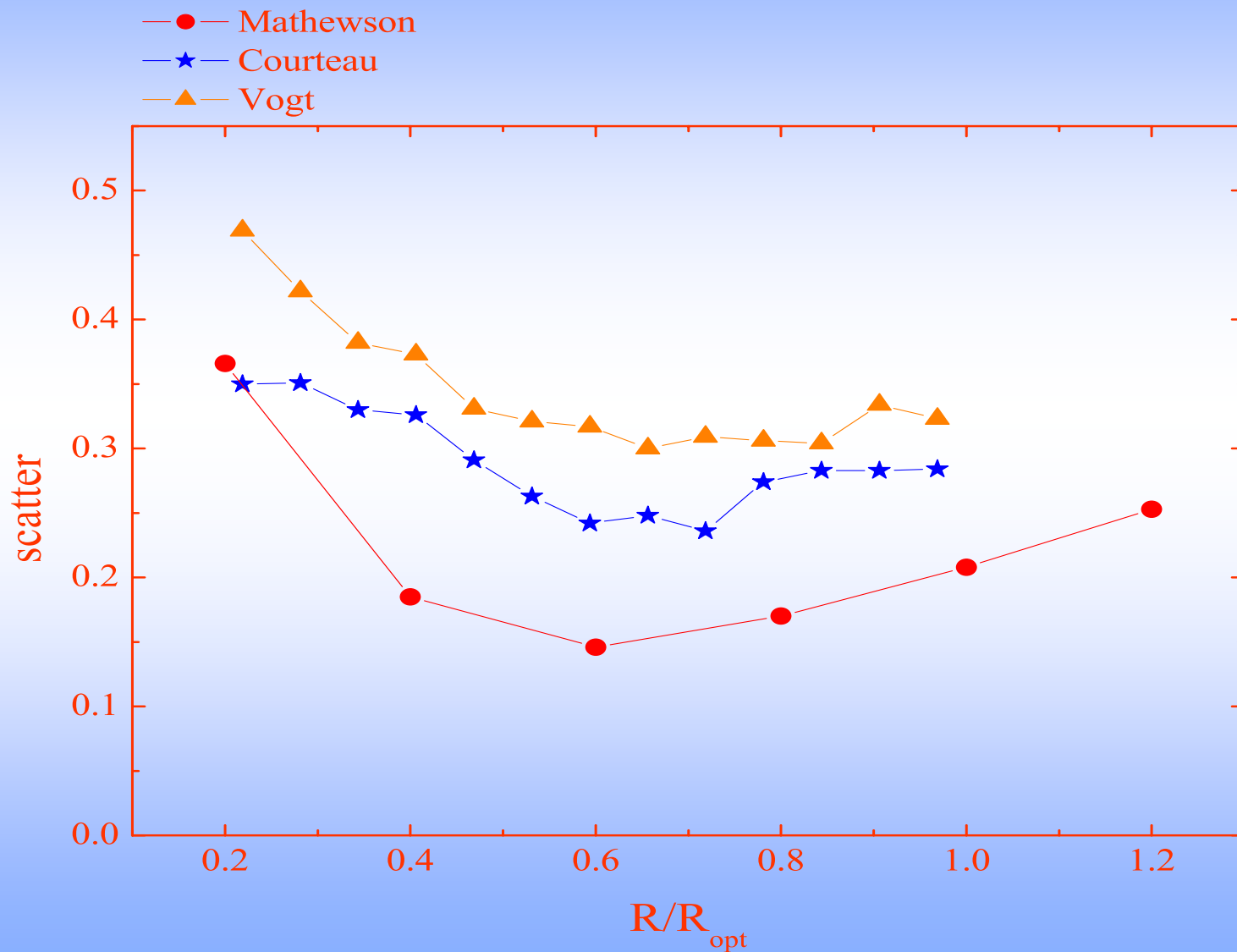
← dark matter parameter

α decreases with L

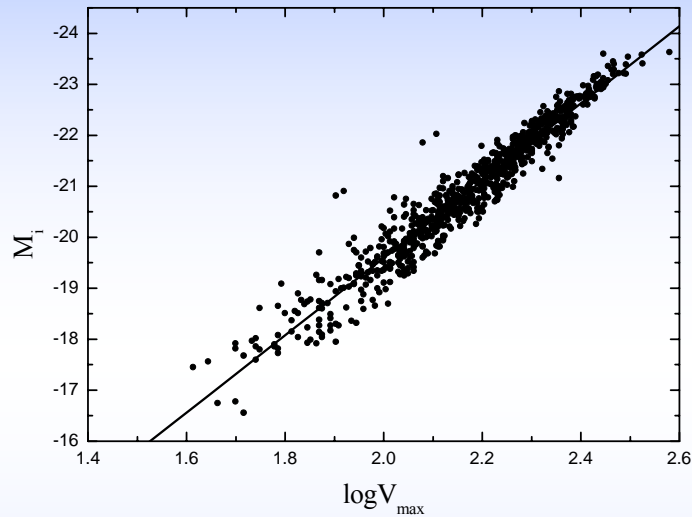
α increases with R

➤ this has influence on the slope

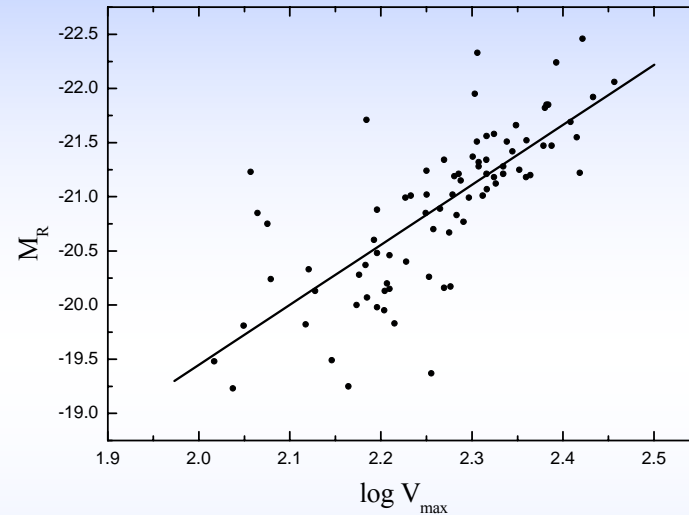
Scatter of the TF-relation



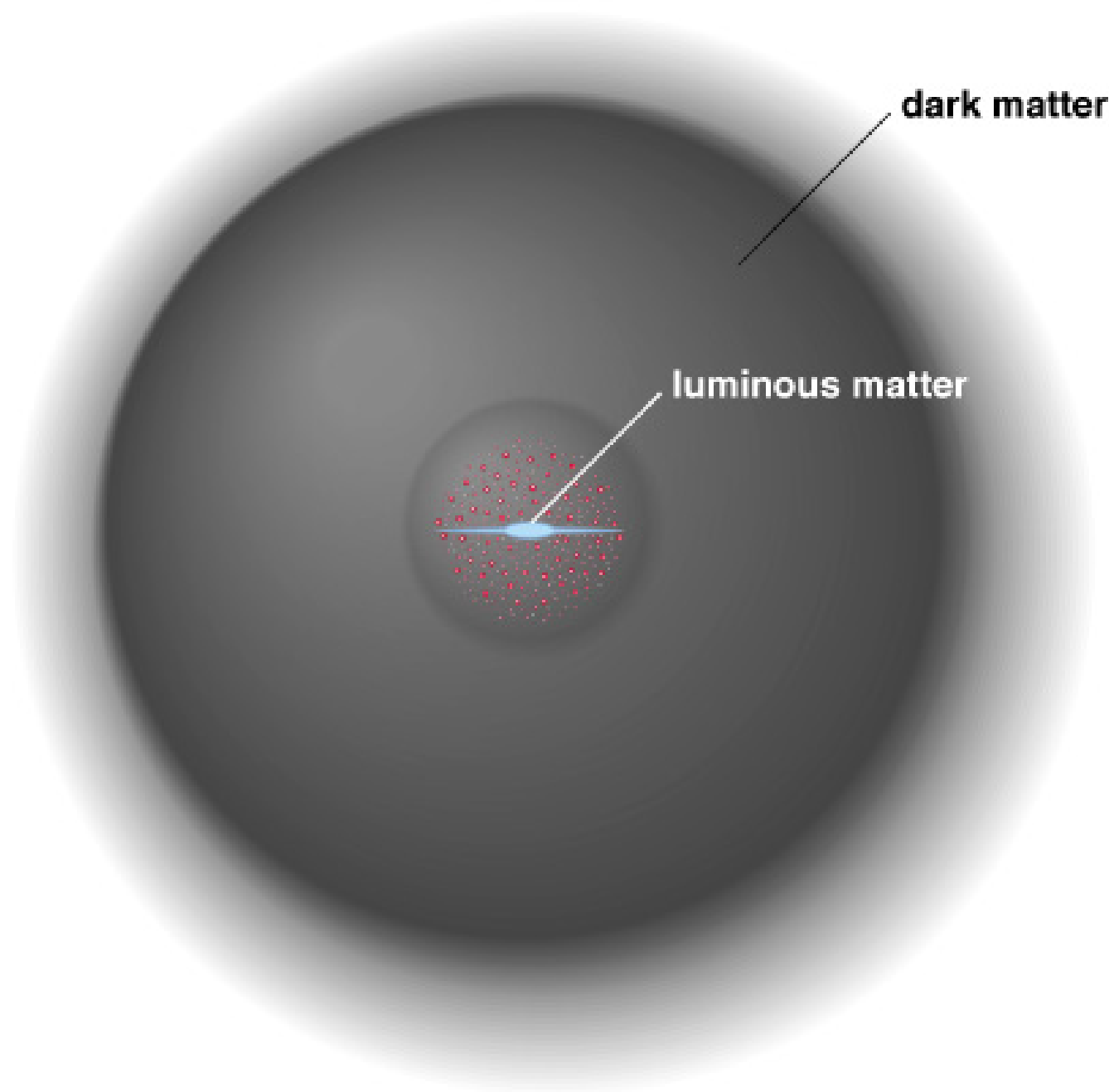
TF-relation using V_{\max}



slope=-7,579; scatter=0,328;
number of galaxies=843



slope=-5.54; scatter=0.49;
number of galaxies=83



Probing dark matter halos of spiral galaxies with their satellites

1.5 - 2 satellites per host galaxy

- Zaritsky (1993): 45 primaries – 69 satellites

Kitt Peak 2.3 m

- Sales & Lambas (2004): 1498 primaries – 3079 satellites

2dFGRS 3.9 m

- T. Breinerd (2004) 3 samples: 1351 primaries – 2084 satellites,
948 primaries – 1294 satellites,
400 primaries – 658 satellites

SDSS 2.5 m

We are studying 7 isolated spiral galaxies at $z = 0.03 - 0.09$



+



= 58 h

Satellites

+

Rotation curves

SDSS J154040.56-000933.5

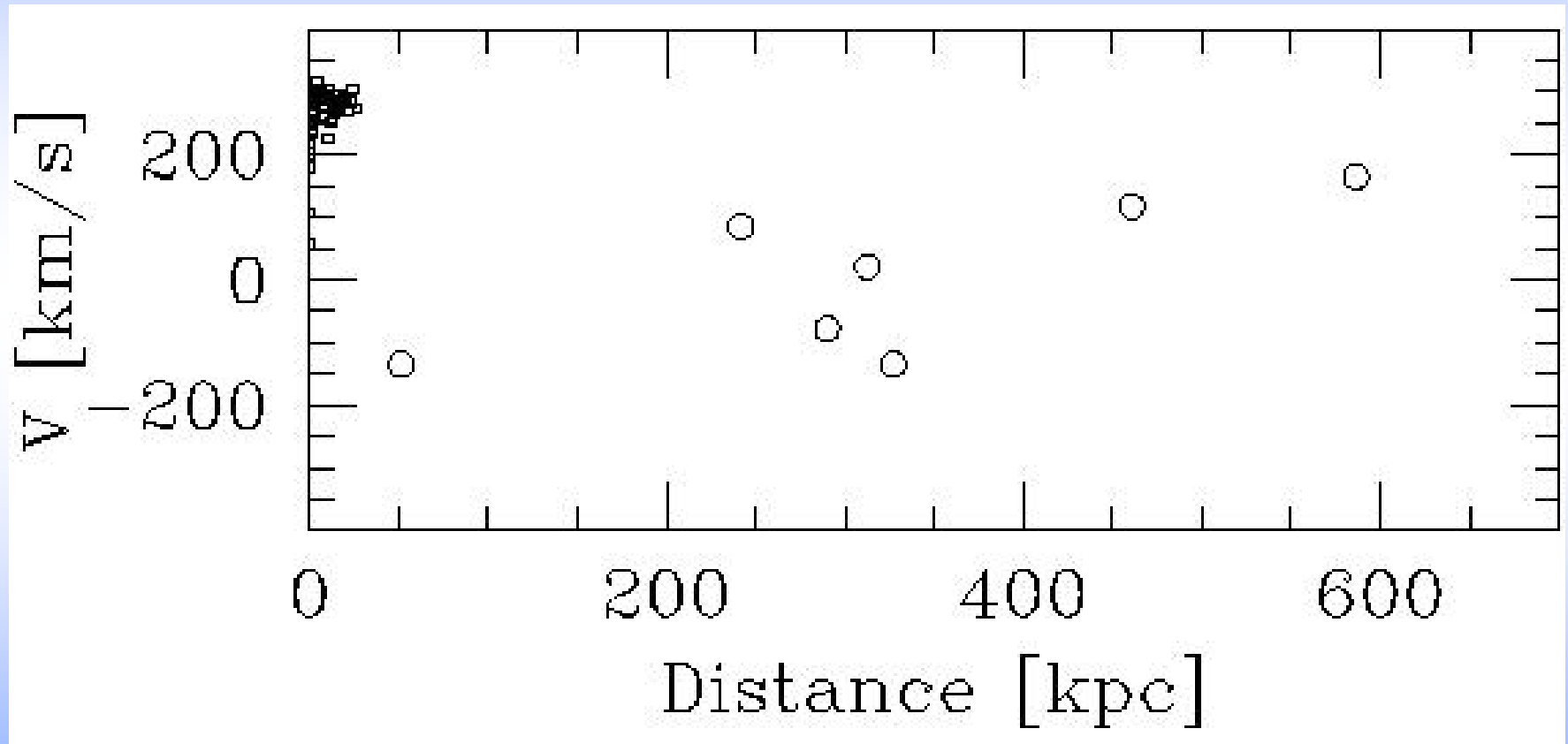
$z=0.078$



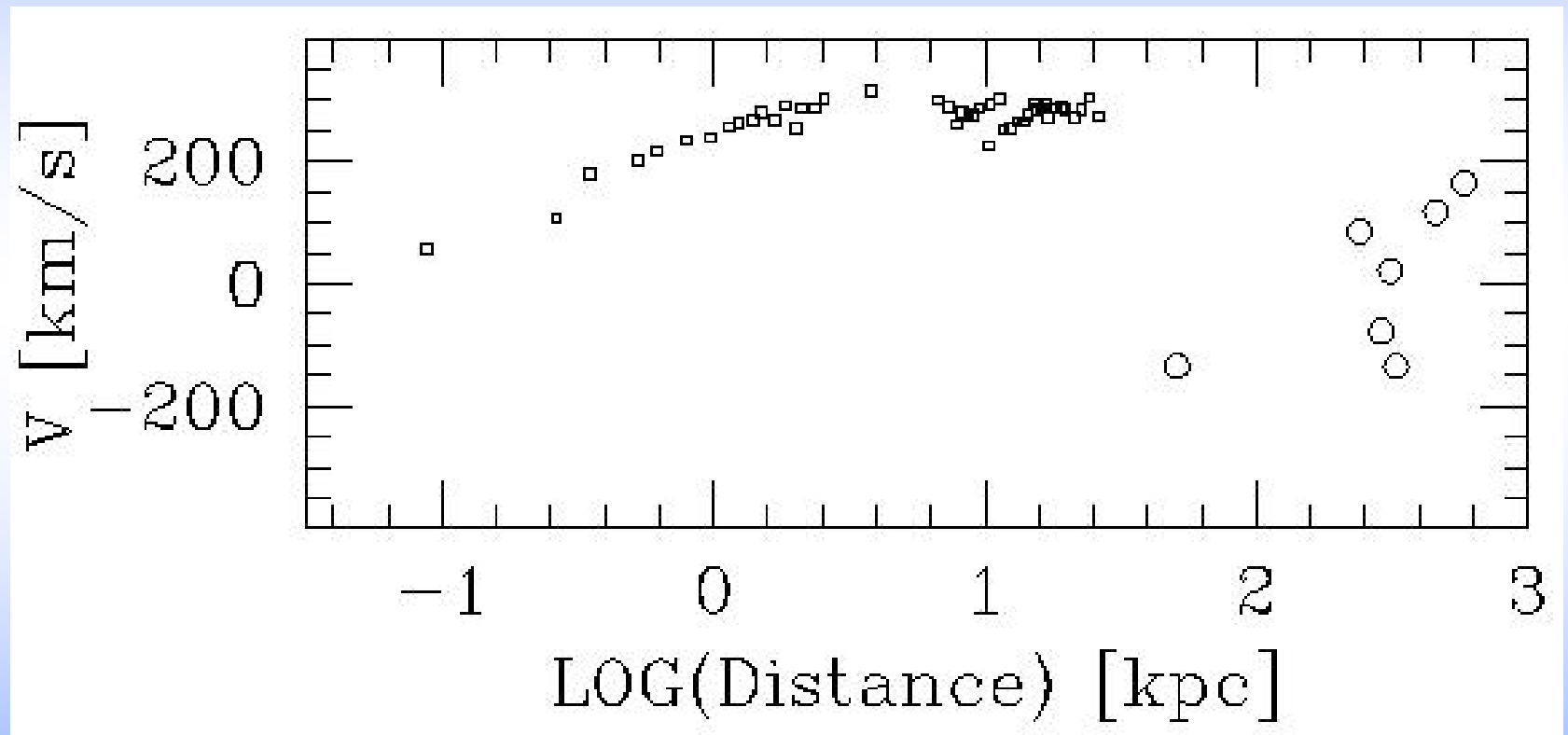
7 primaries 77 satellites identified

Primary galaxy	z	N of sat. (SDSS)	N of sat. (found)
SDSSJ134215.02	0.029	4	8
SDSSJ145211.01	0.046	4	7
SDSSJ152621.67	0.083	4	17
SDSSJ153221.6	0.085	5	19
SDSSJ154040.5	0.075	7	11
SDSSJ154904.29	0.077	2	8
SDSSJ221957.2	0.038	4	7

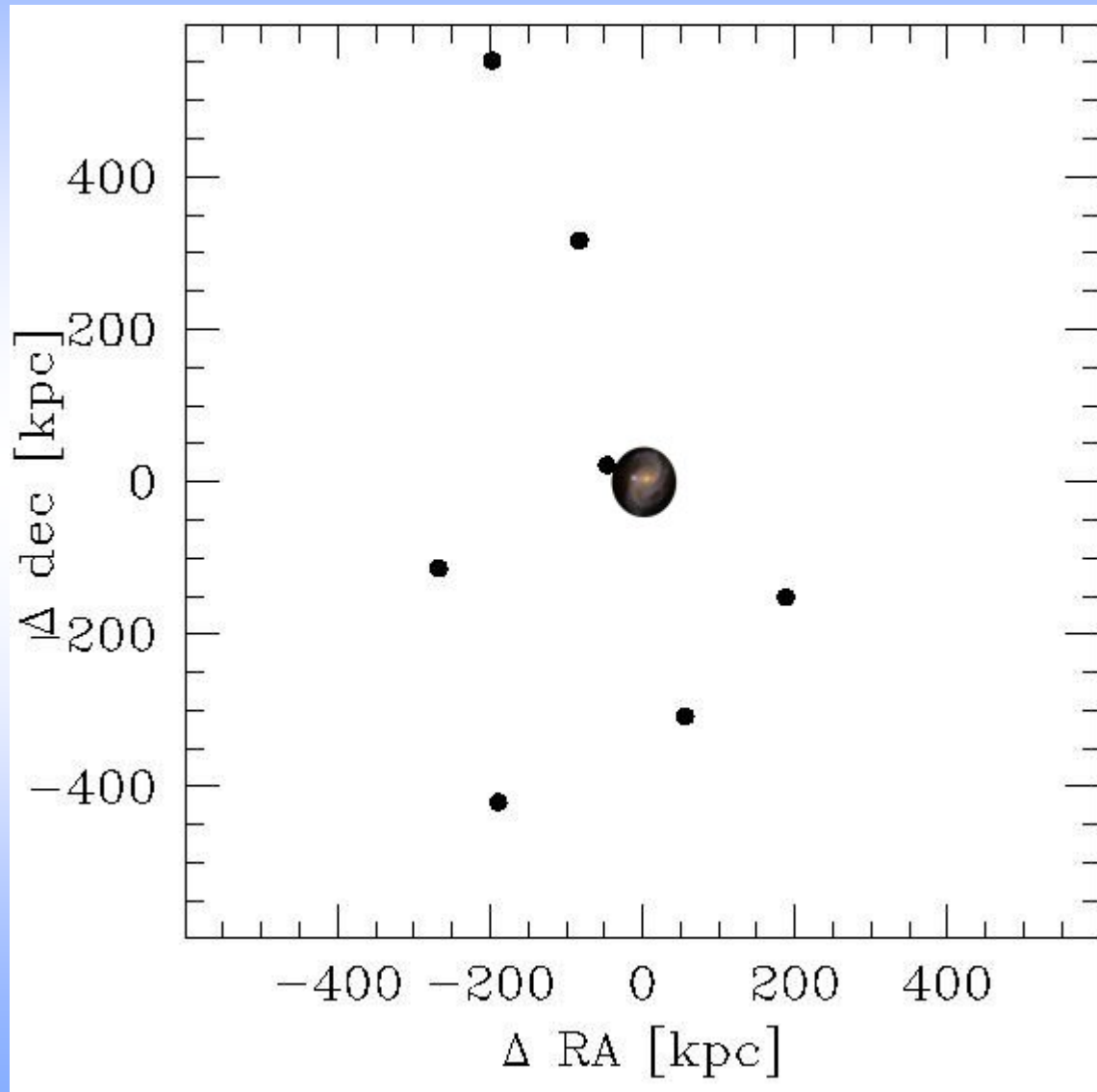
SDSS J145211.01+044053.6



SDSS J145211.01+044053.6



SDSS J145211.01+044053.6



Main results:

- The kinematical and spectro-photometrical methods coincide
- We found a Radial Tully-Fisher (RTF):

The slope decreases monotonically with the distance, while the scatter increases with distance. This implies the presence of a non luminous mass component (DM) whose dynamical importance, with respect to the stellar disk (baryonic matter) increases with radius.

The small scatter in the RTF-relation. This implies that galaxies have similar physical characteristics.

- Satellites seems a good tracer of matter distribution in spirals